



Real-time global illumination in interactive applications and games

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GEOOMETRY – VISIBILITY – ILLUMINATION



GAMETOOLS

Motto

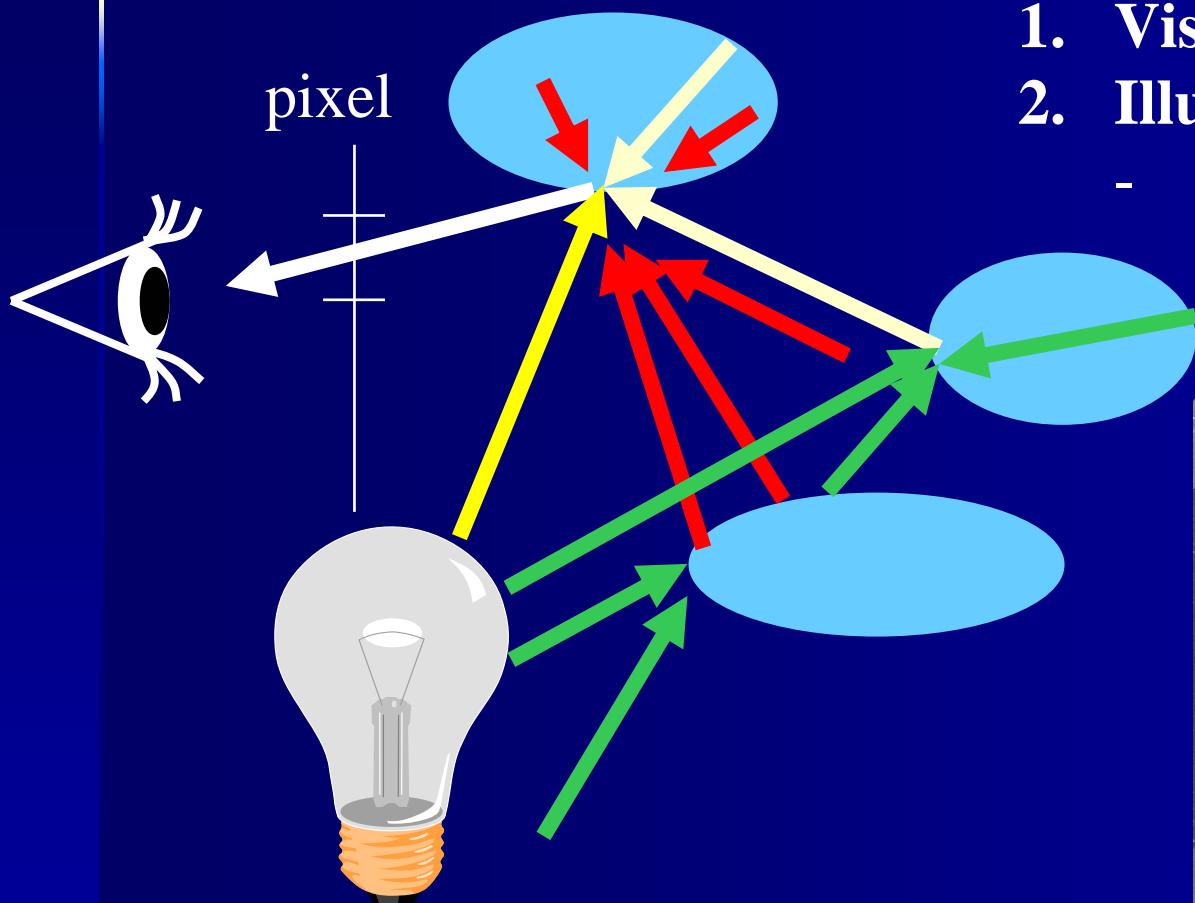
In theory, there is no difference
between theory and practice.

In practice, there is.



$$L(\mathbf{x}, \omega) = L^e(\mathbf{x}, \omega) + \int_{\Omega'} L(\mathbf{y}, \omega') f_r(\omega', \mathbf{x}, \omega) \cos^+ \theta'_{\mathbf{x}} d\omega',$$

Global Illumination rendering



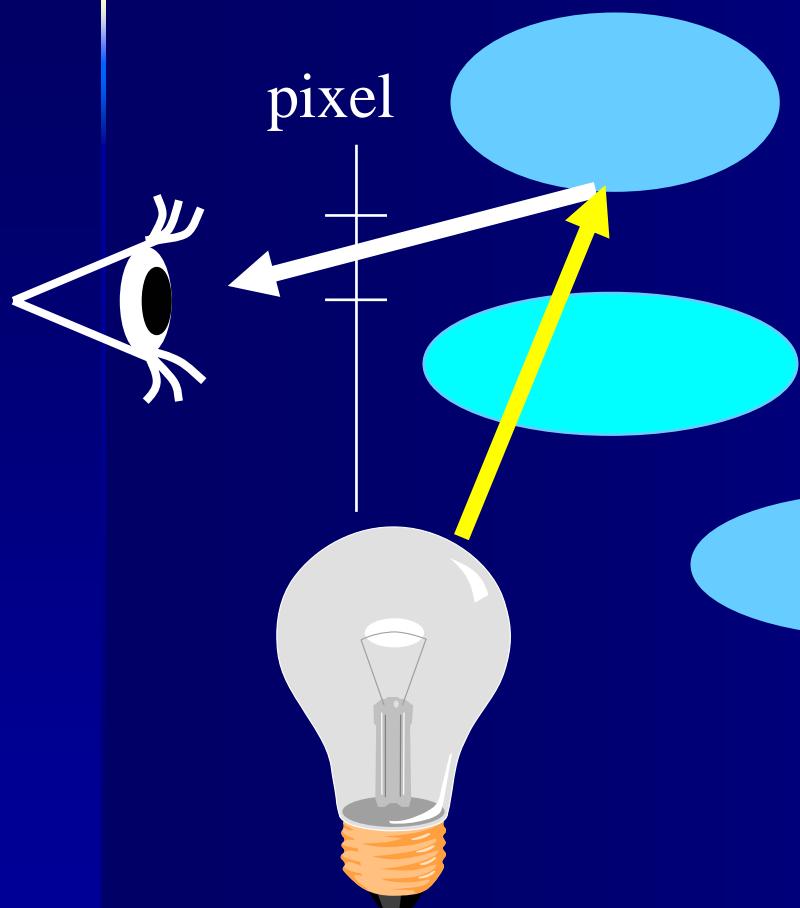
1. Visibility determination
2. Illumination computation
 - New visibility and Illumination tasks



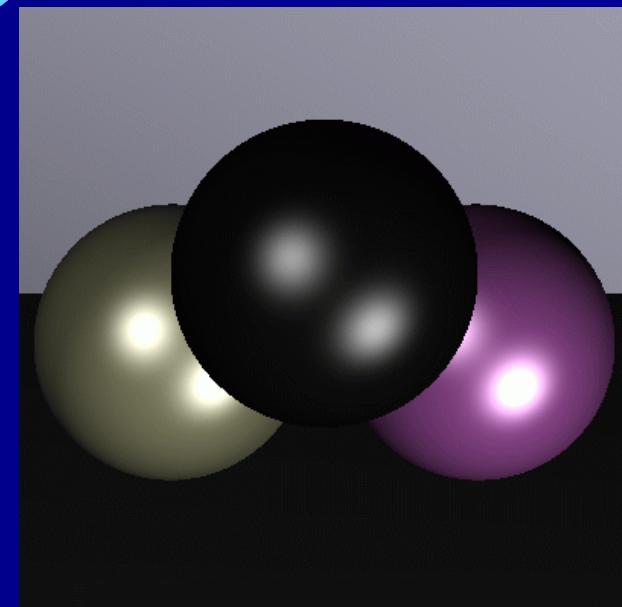


$$L(\mathbf{x}, \omega) = L^e(\mathbf{x}, \omega) + \sum_l L_l^{in}(\mathbf{x}) f_r(\omega'_l, \mathbf{x}, \omega) \cos^+ \theta'_l,$$

Pure Local Illumination

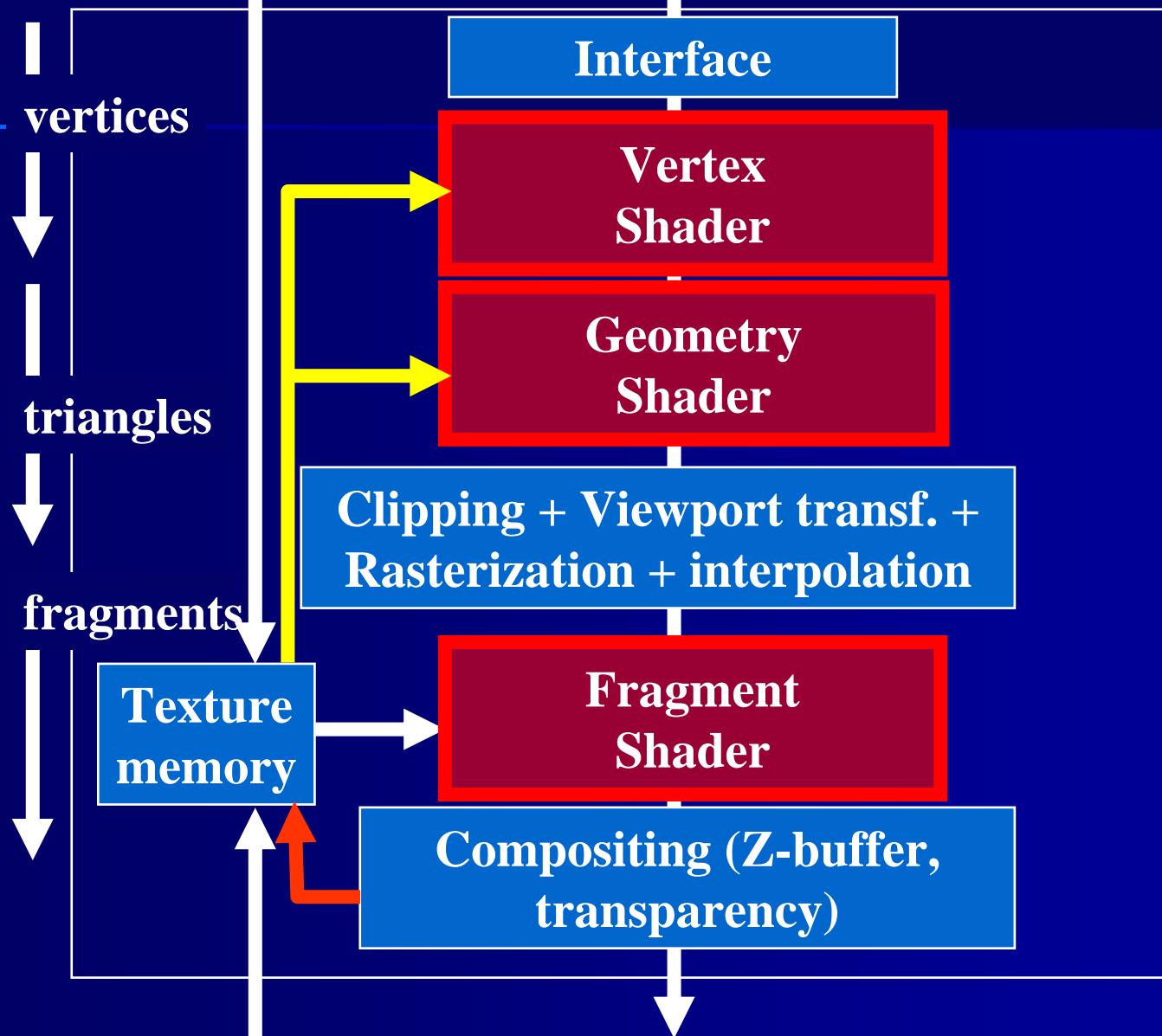


1. Color computation uses just local information
2. Visibility only from the camera
3. Object order is free





GPU hardware architecture



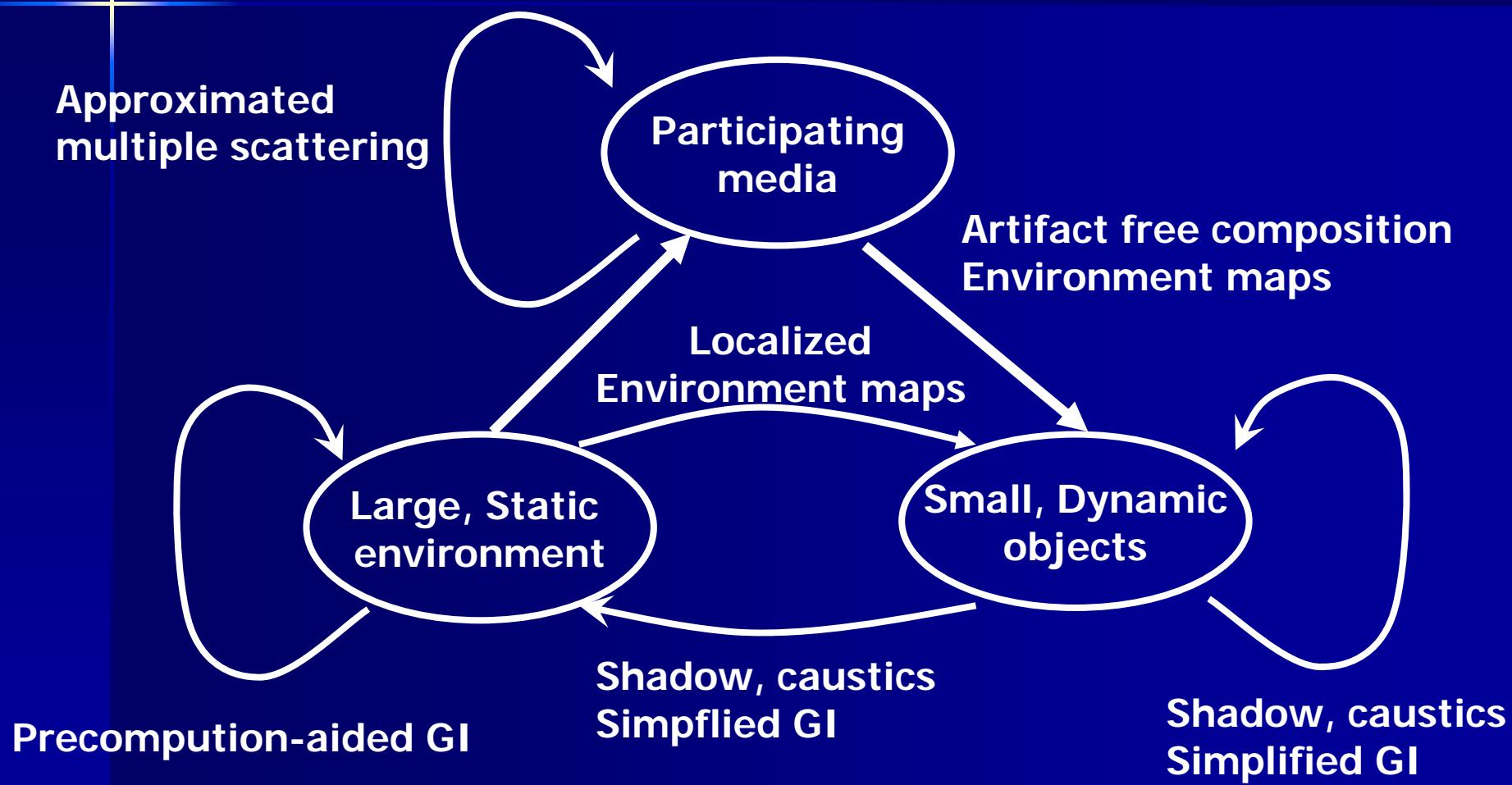


Keys to GPUGI

- Importance, reuse, and pre-computation
- Simplification
- Exploit the GPU
 - **Multipass rendering**
 - Results of a previous pass can only be used
 - **Render-to-texture**
 - Results of one pass can be used by another pass
 - **Floating point textures**
 - HDR radiance and geometric data in texture memory



Simplified GI





Beyond local illumination

Local illumination

Variance Shadow maps

Localized Environment maps

Localized Diffuse/glossy

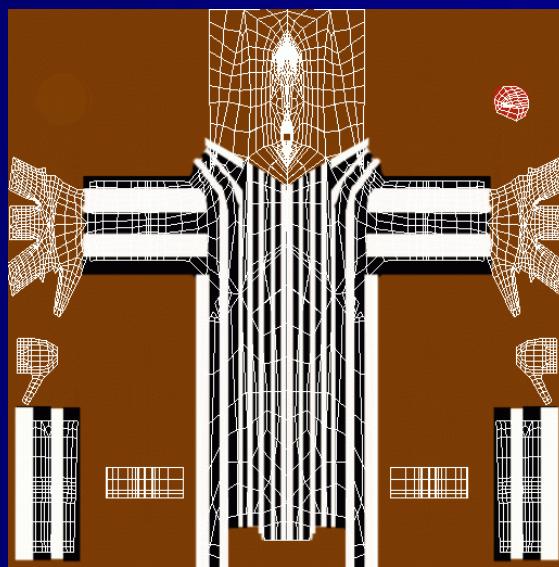
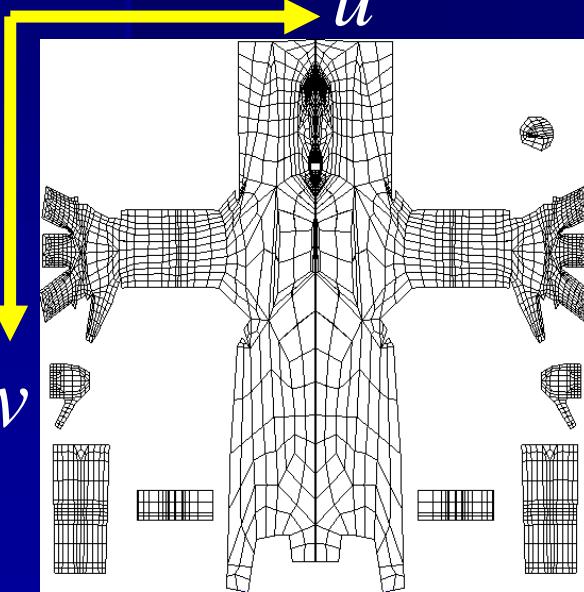
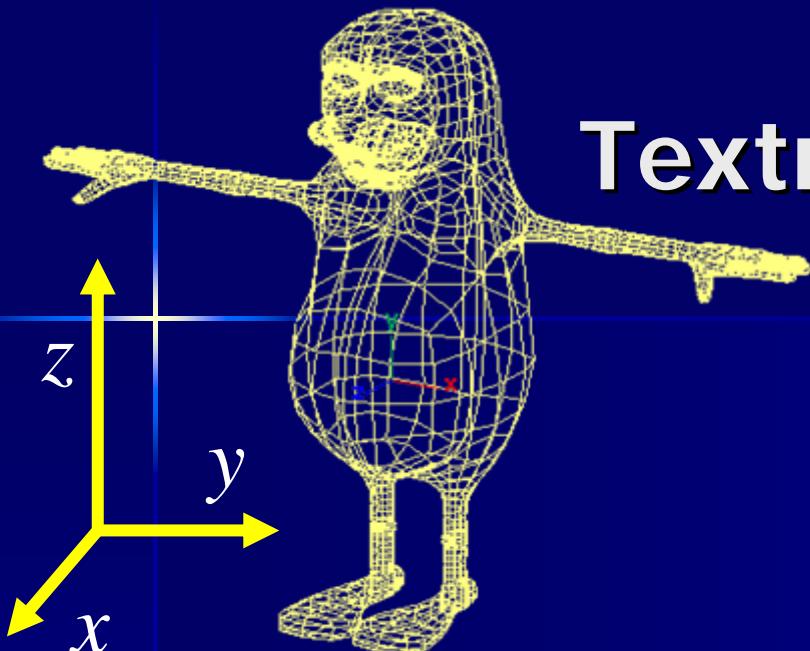
Obscurances,
ambient occlusion,

Light path maps

Photon map,
light cube map



Texture atlas = unfolding



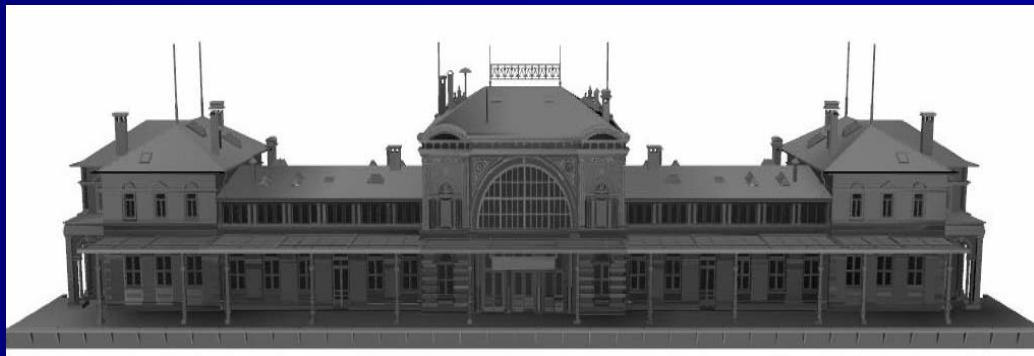
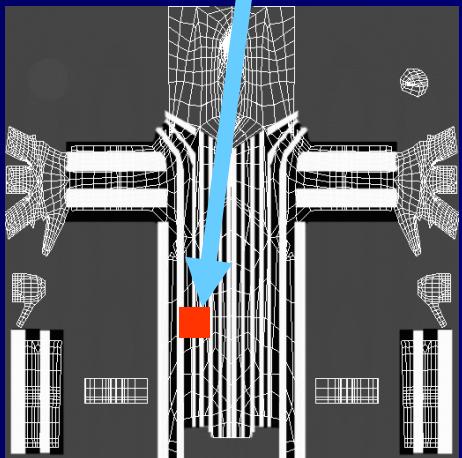
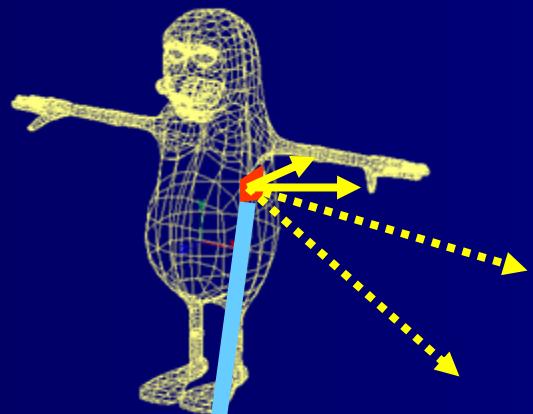


1. Pre-computation aided methods

- Obscurances, ambient occlusion
- Light maps
- Light path maps



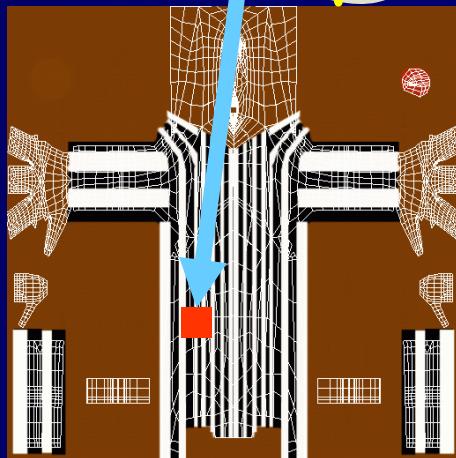
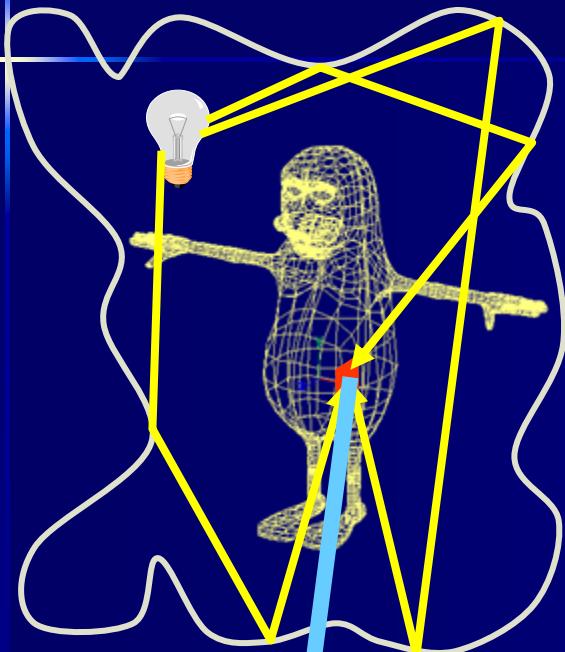
Fake methods (obscurances, ambient occlusion)



Good for macrostructure and mesostructure

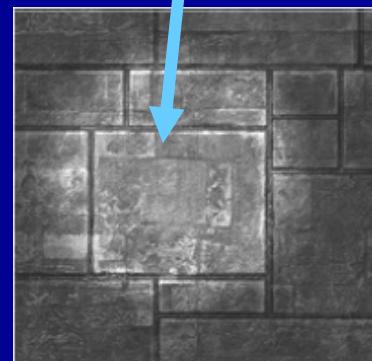
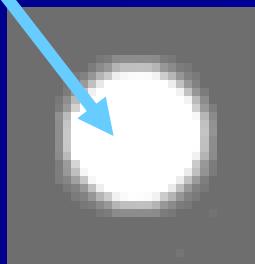
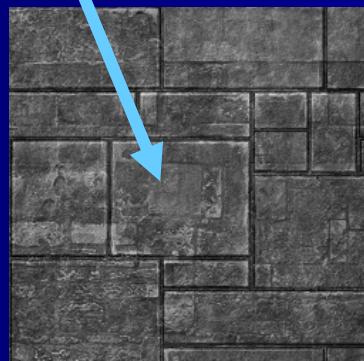


Light maps



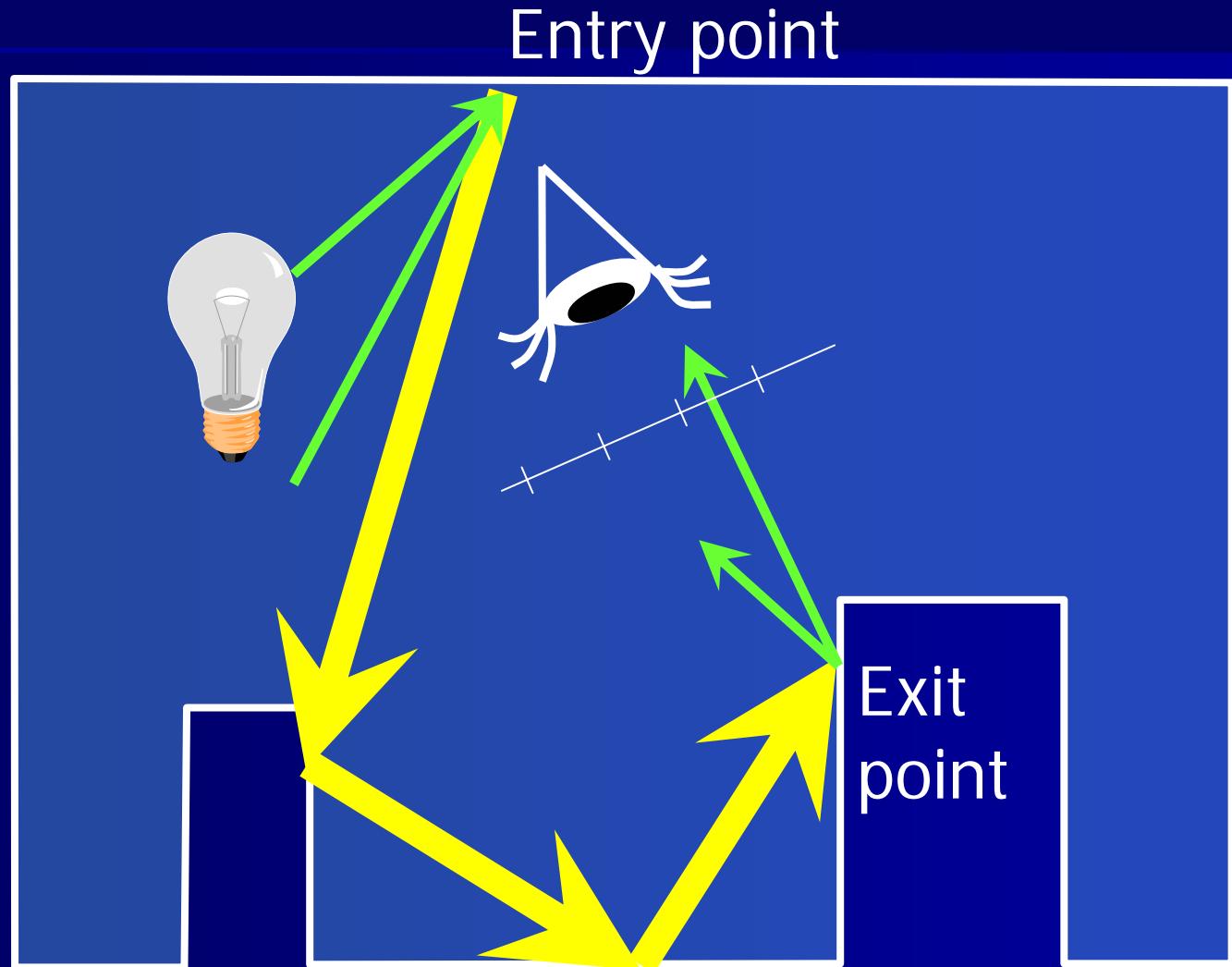
$$\int_{\Omega} L^{in}(x, \omega') f(x) \cos \theta' d\omega' = \\ f(x) \boxed{\int_{\Omega} L^{in}(x, \omega') \cos \theta' d\omega'} - L(x)$$

Irradiance





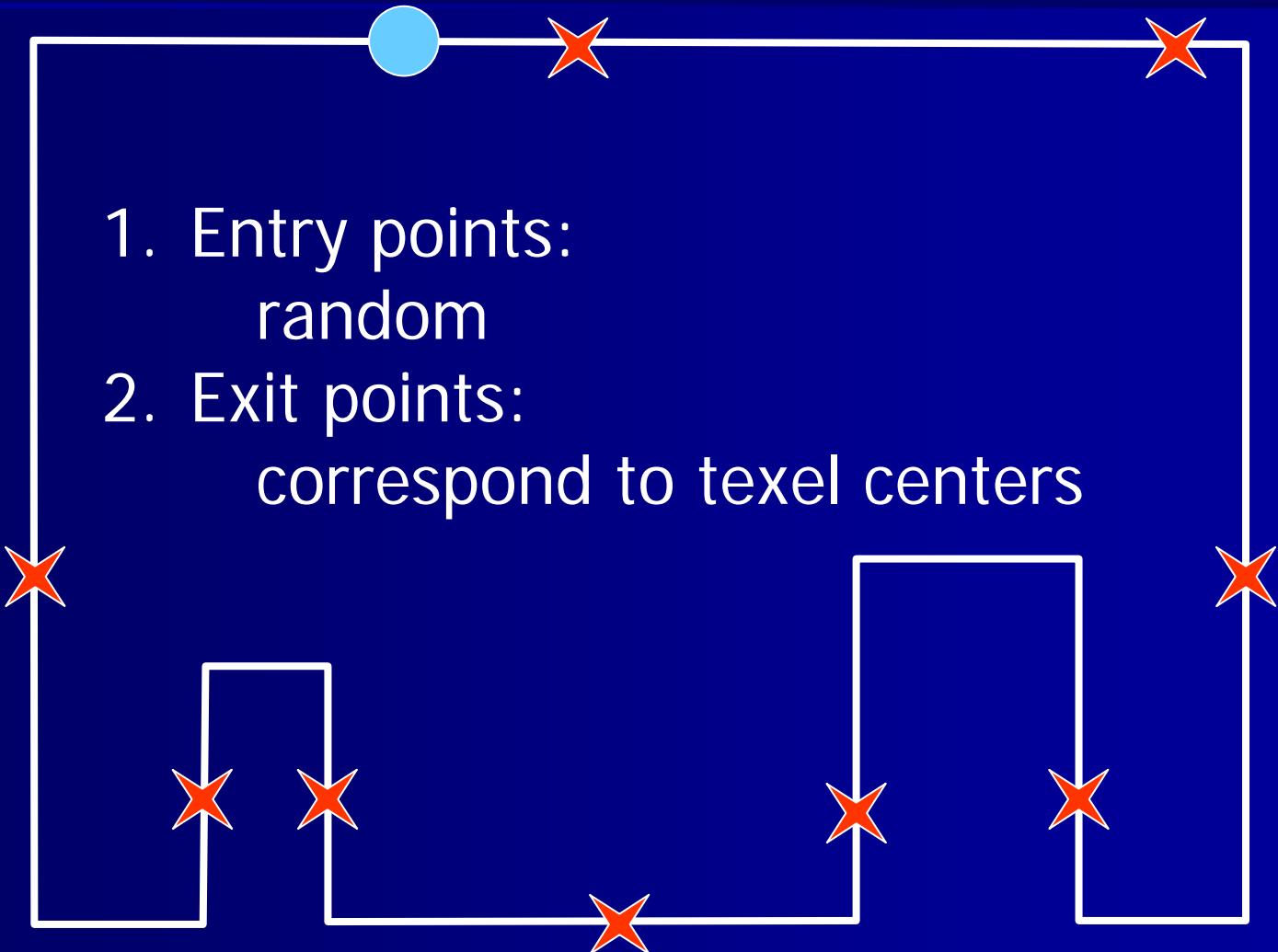
Allowing dynamic lighting





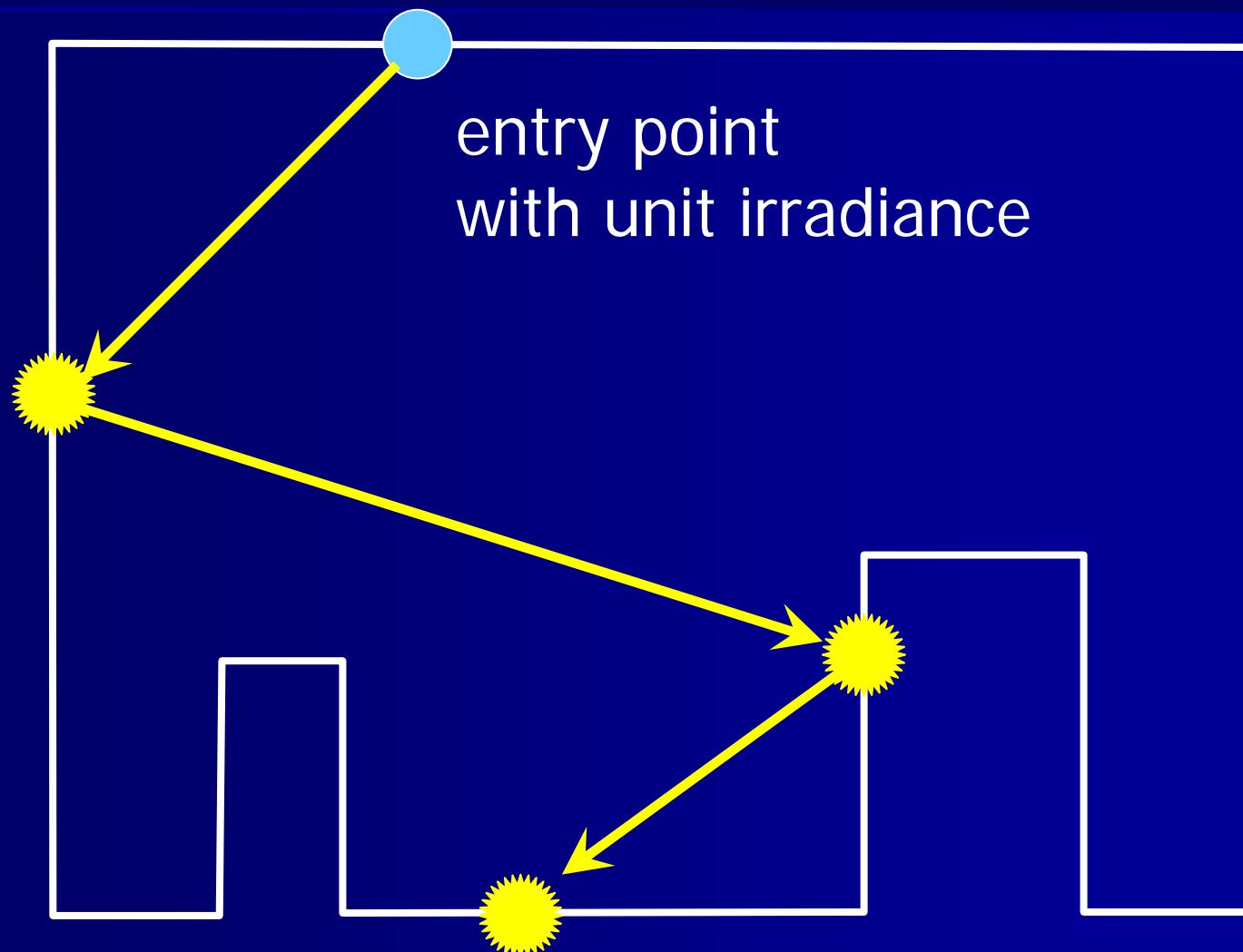
Preprocessing: Exit points

1. Entry points:
random
2. Exit points:
correspond to texel centers



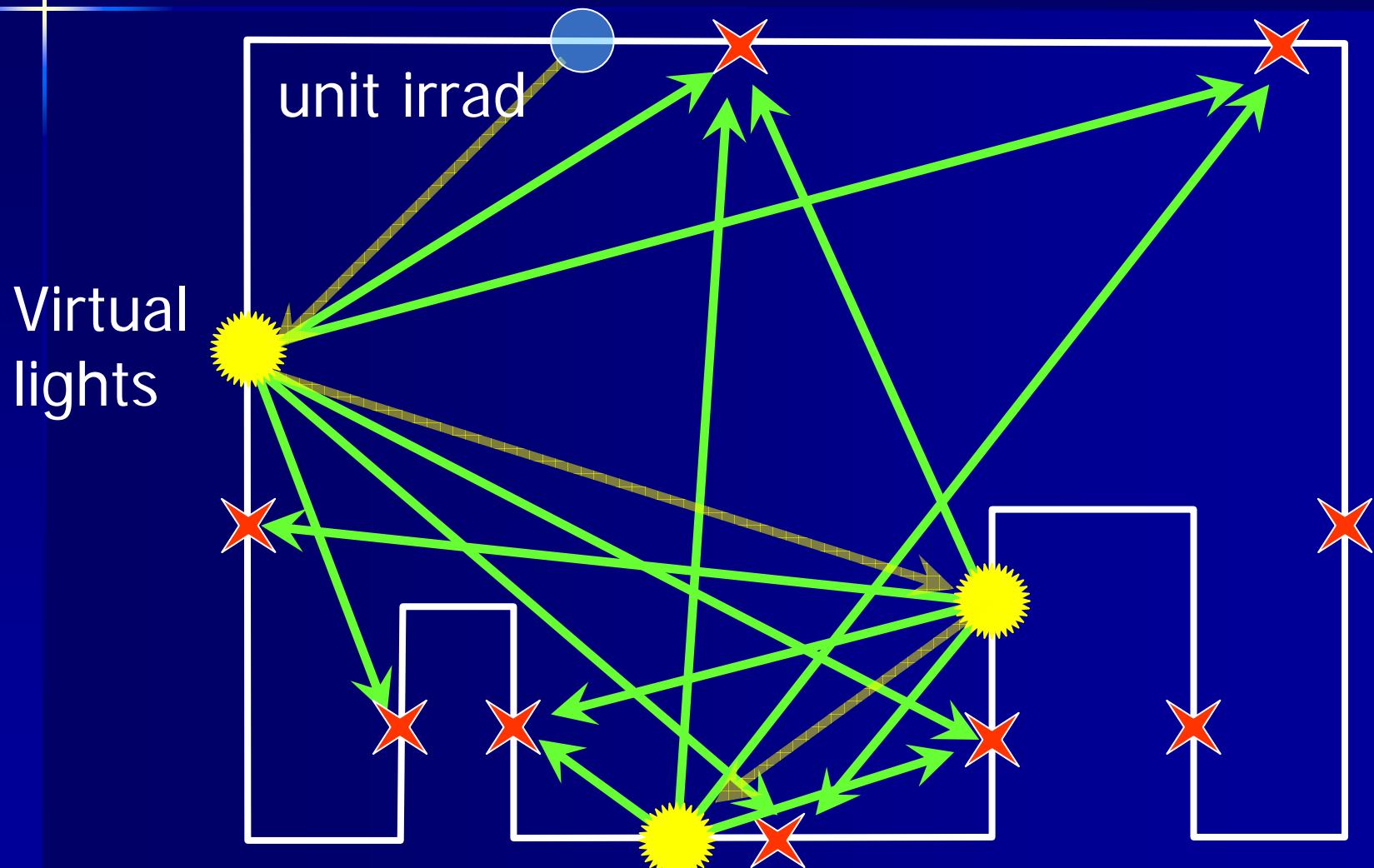


Preprocessing: Transfer from entry to exit points





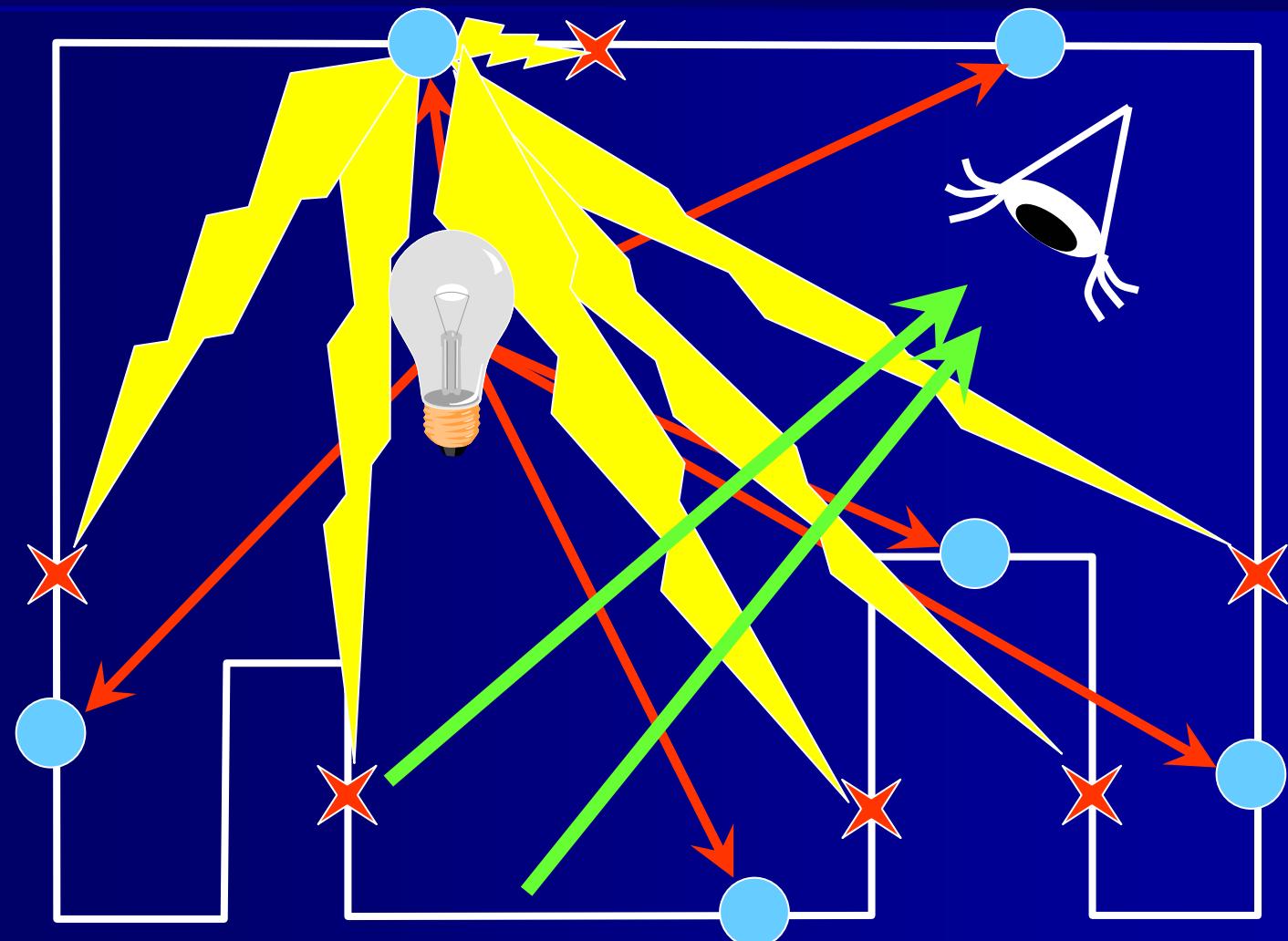
Preprocessing: Reference point illumination





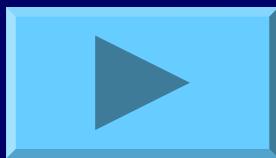


Having the transfer factors





Results: Room with stairs



16K entries
32 clusters
4Mb per obj

50 FPS



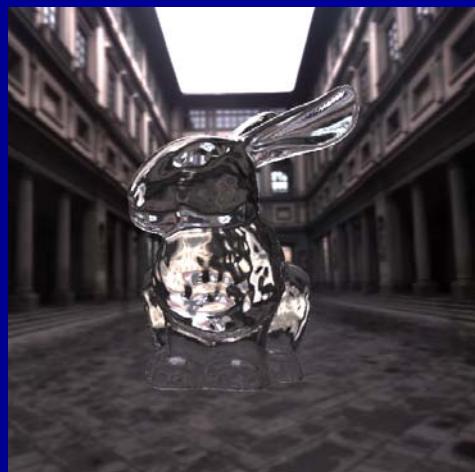
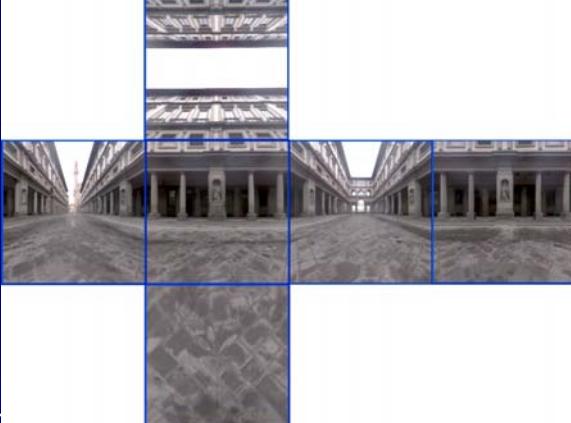
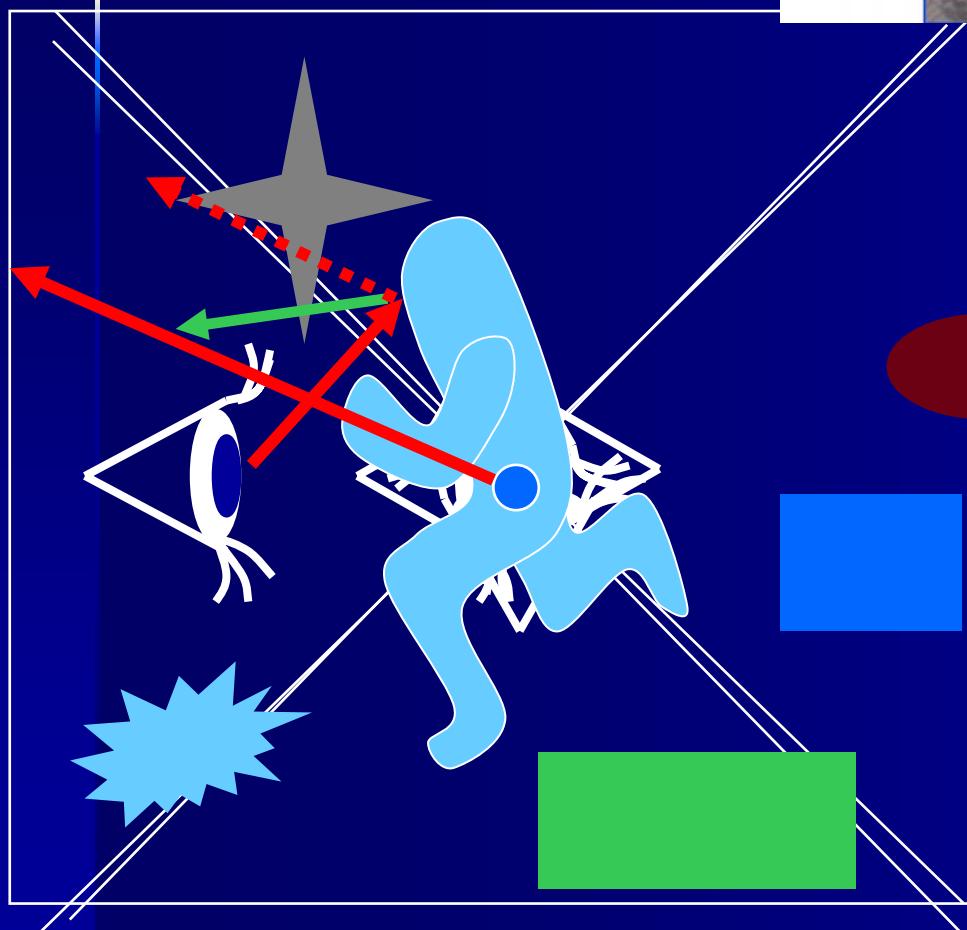


2. Environment map based techniques

- Specular reflections and refractions
- Diffuse/glossy indirect illumination
- Global/localized approaches



Environment mapping





Problems of environment map based reflections



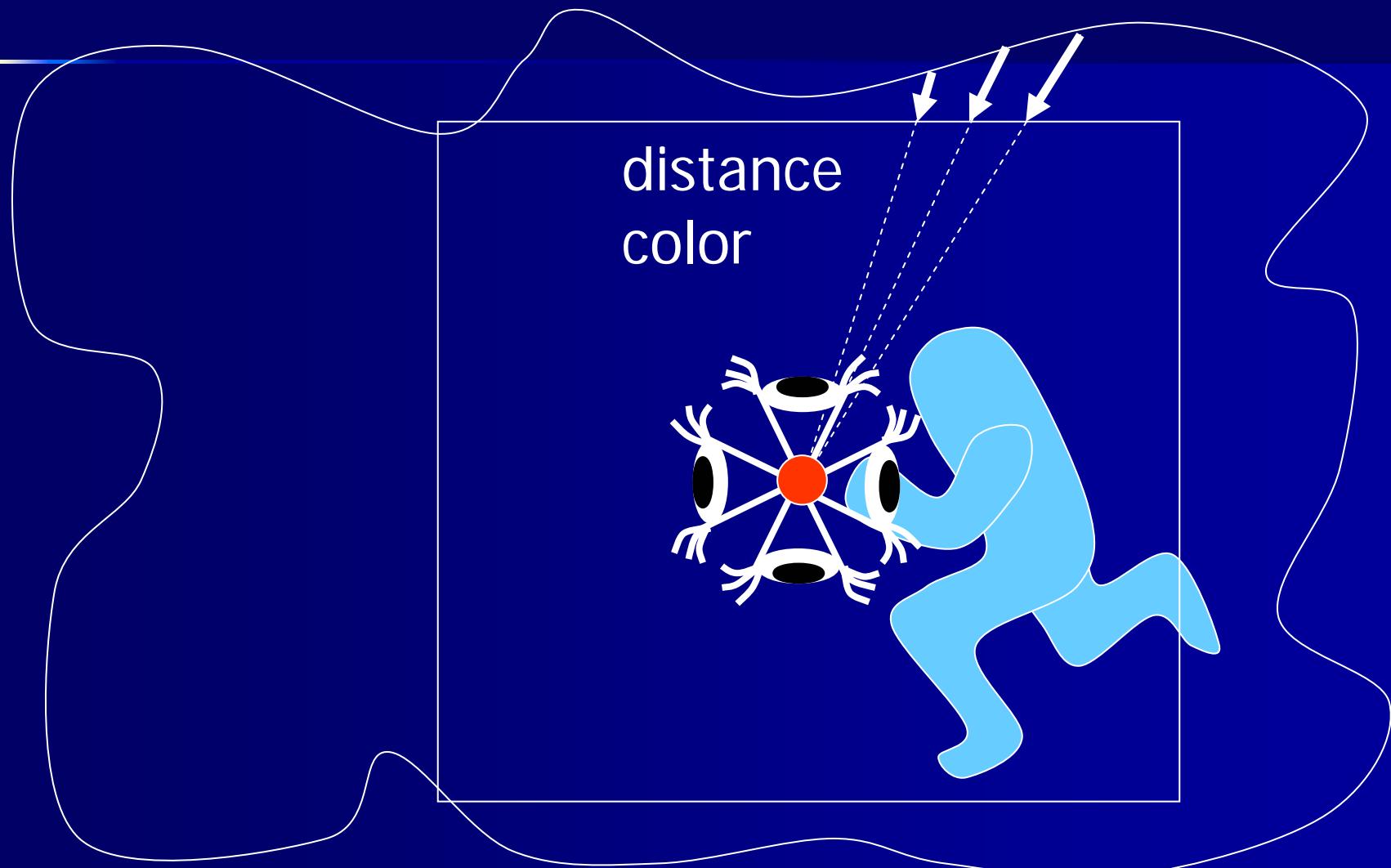
Environment map



Reference

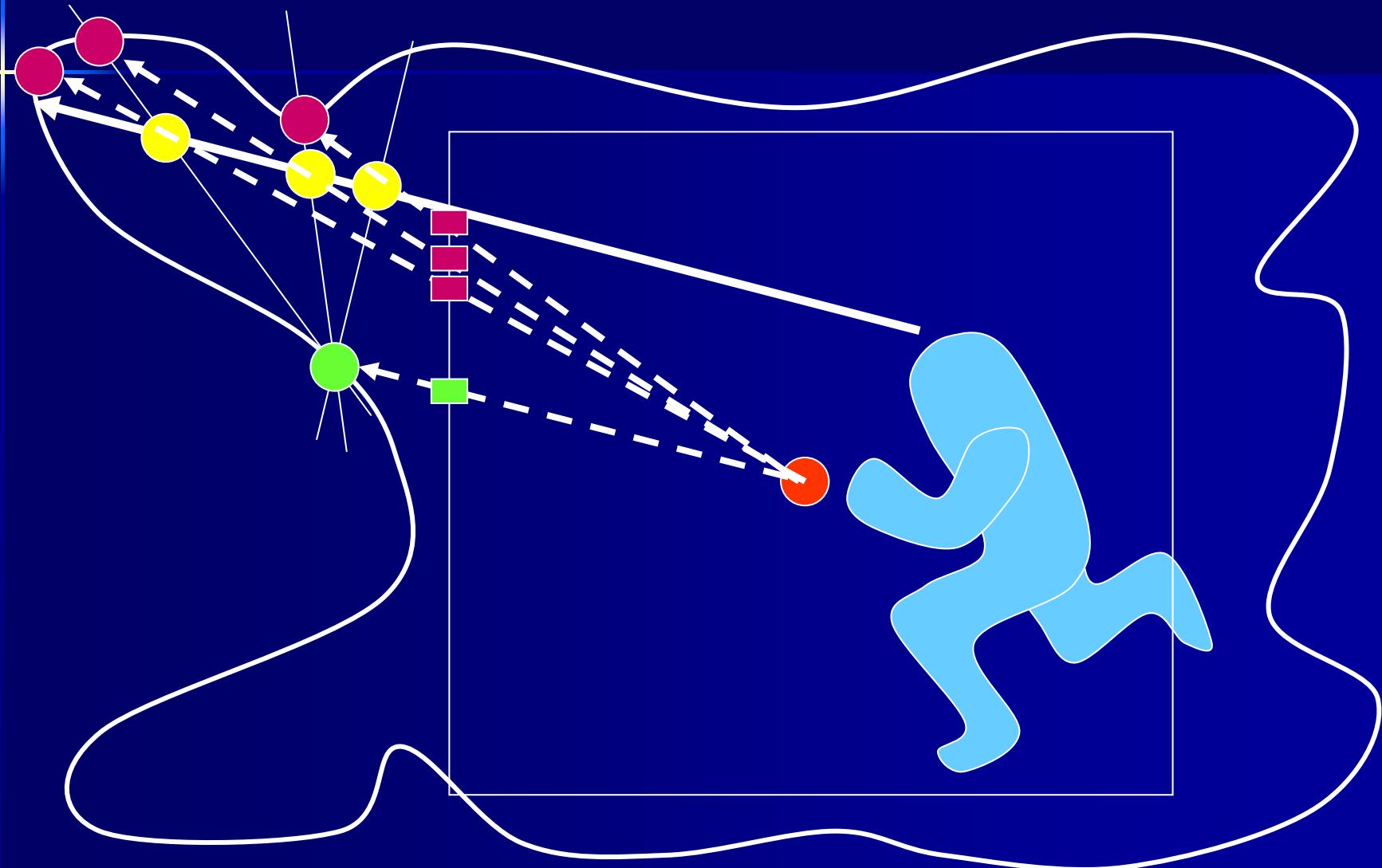


Localization: distance map



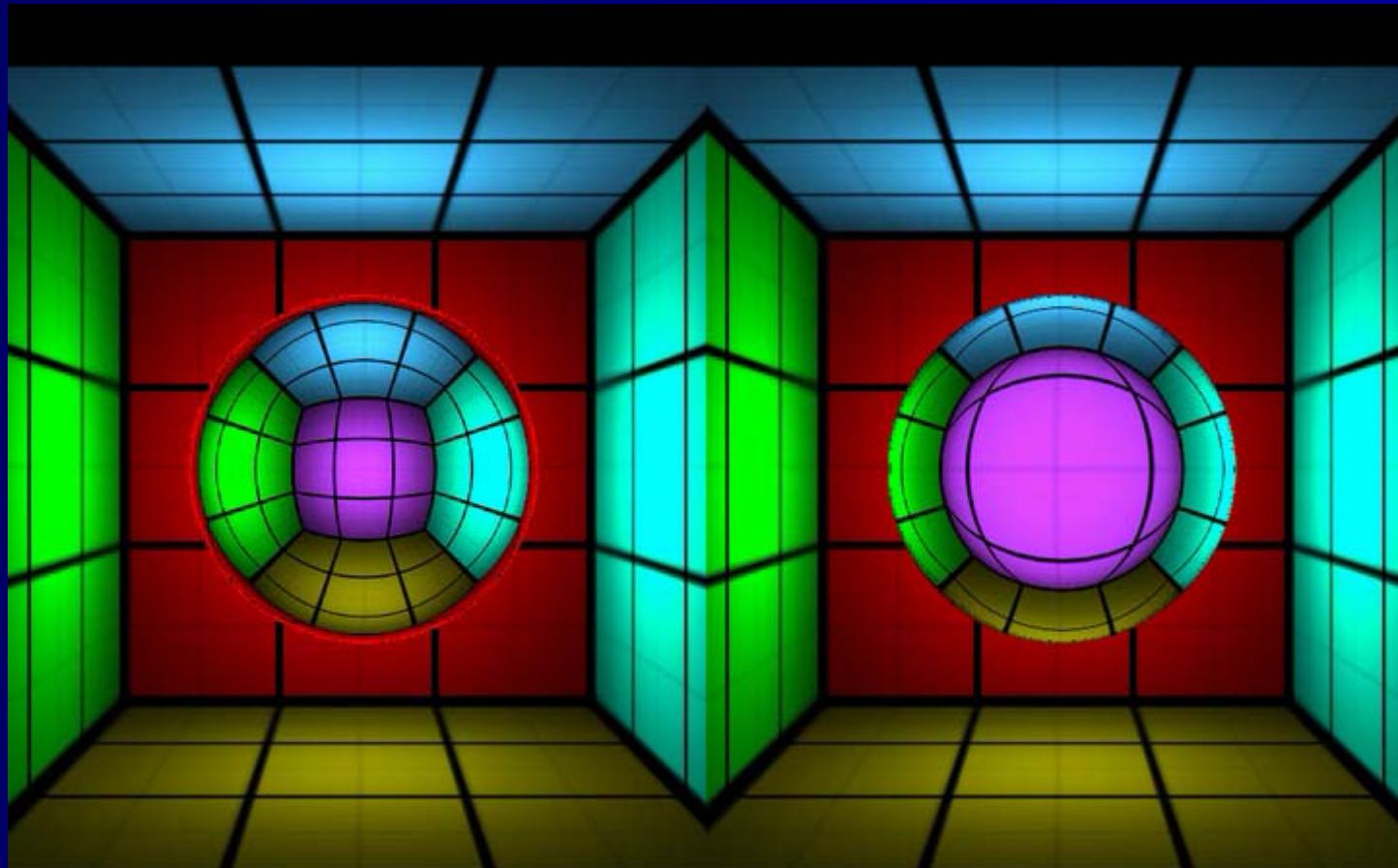


Ray tracing of distance maps





Comparison of Localized Reflections



Classical environment map (642 FPS)

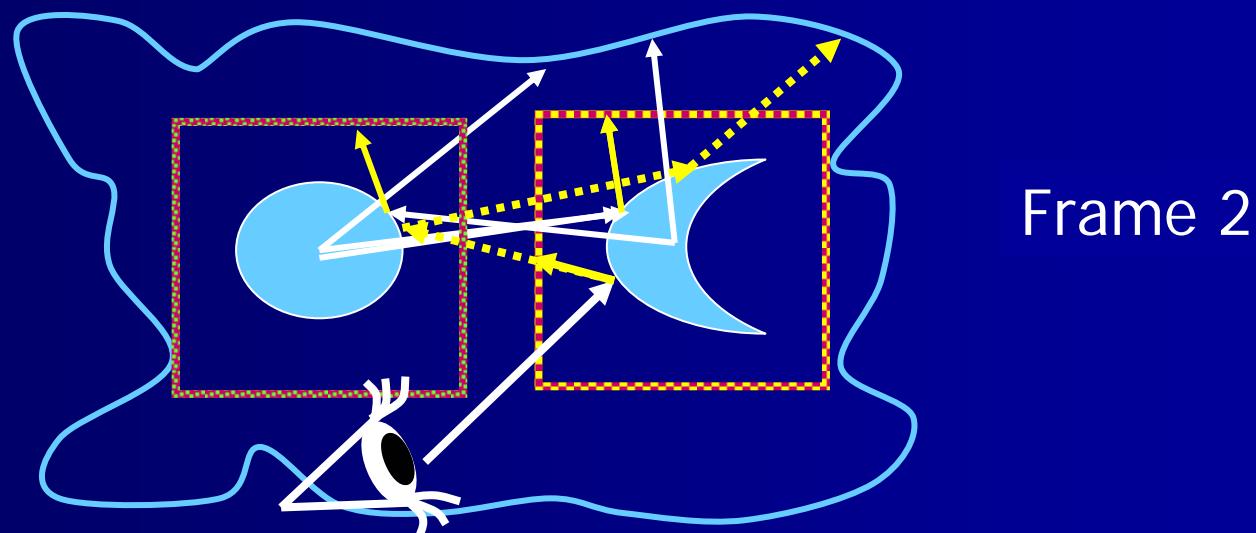
--- Ray-traced reference ---





Multiple interreflections

- So far we decomposed the scene to the reflector and to the “rest”
- If all reflectors have their own distance map, it is correct.



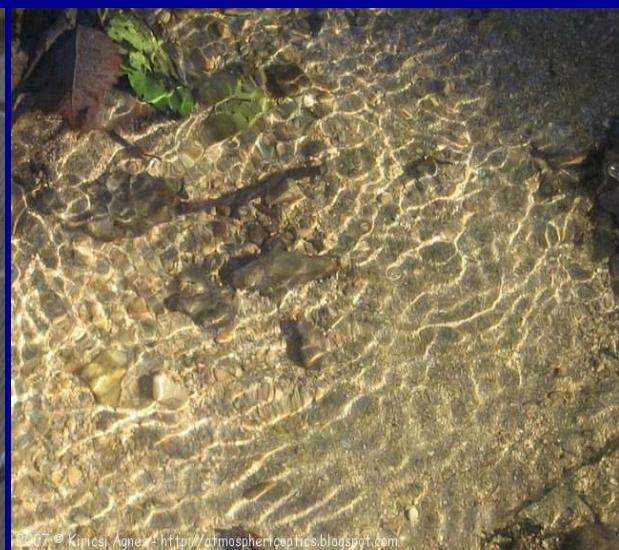
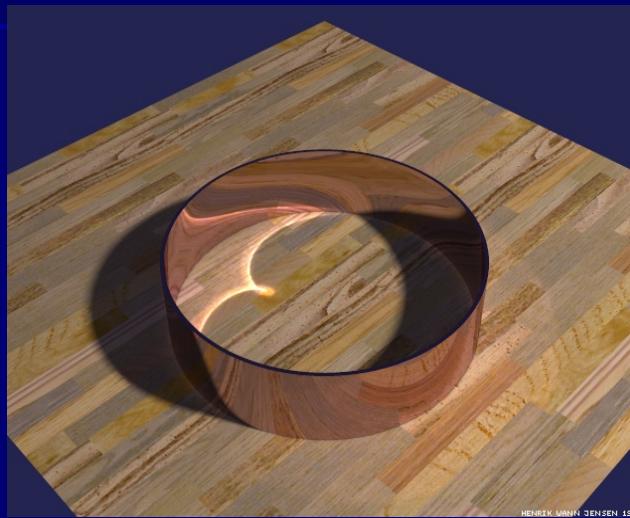
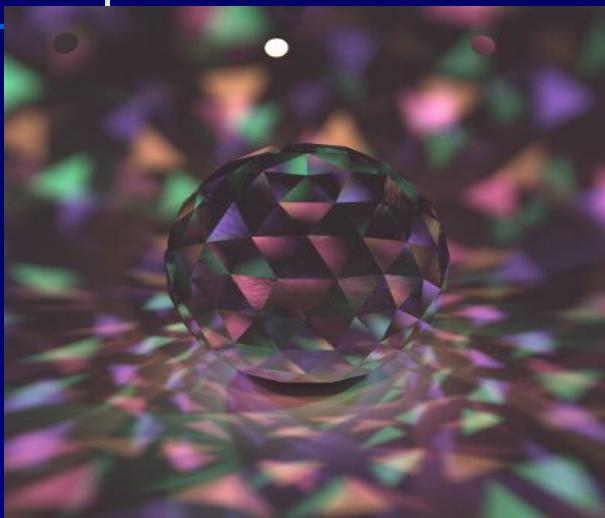


With multiple distance maps



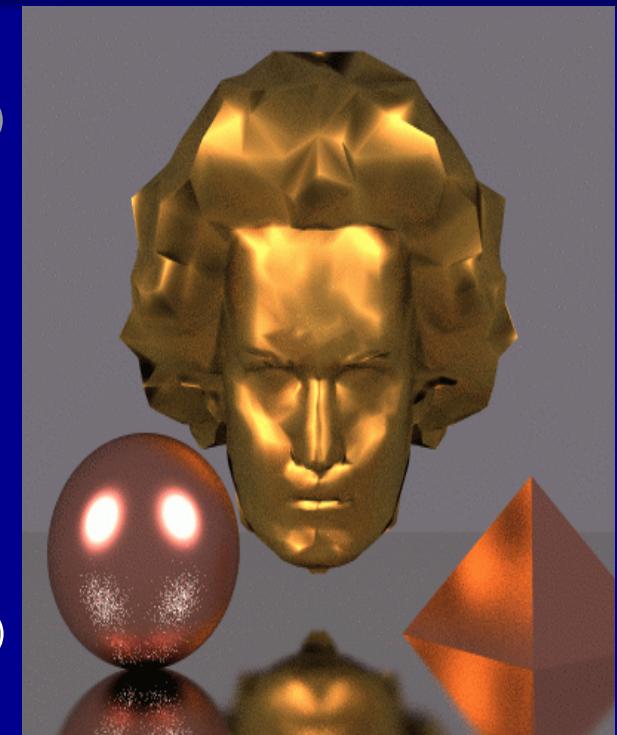
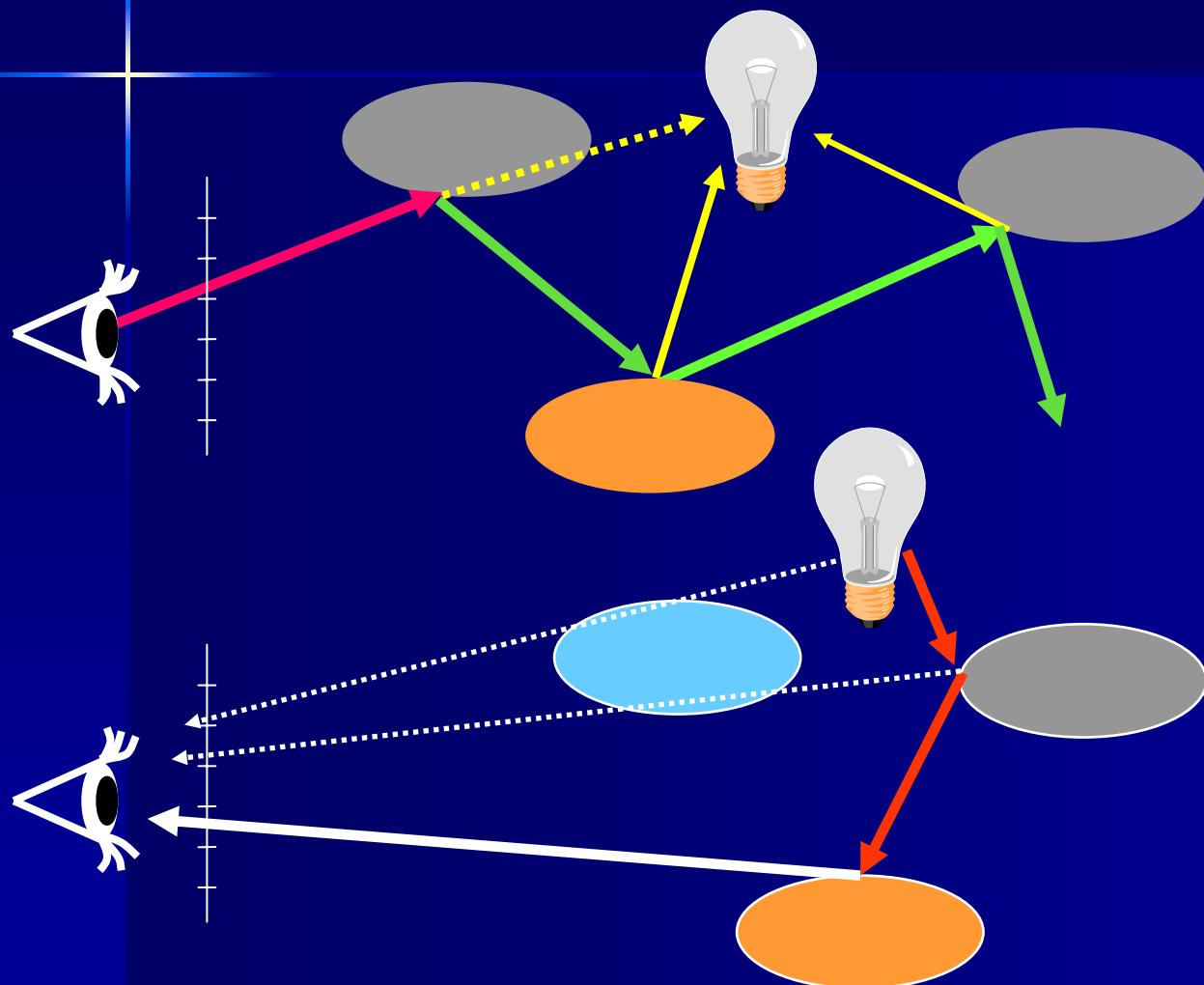


Caustics-Causticus-Kaustikos



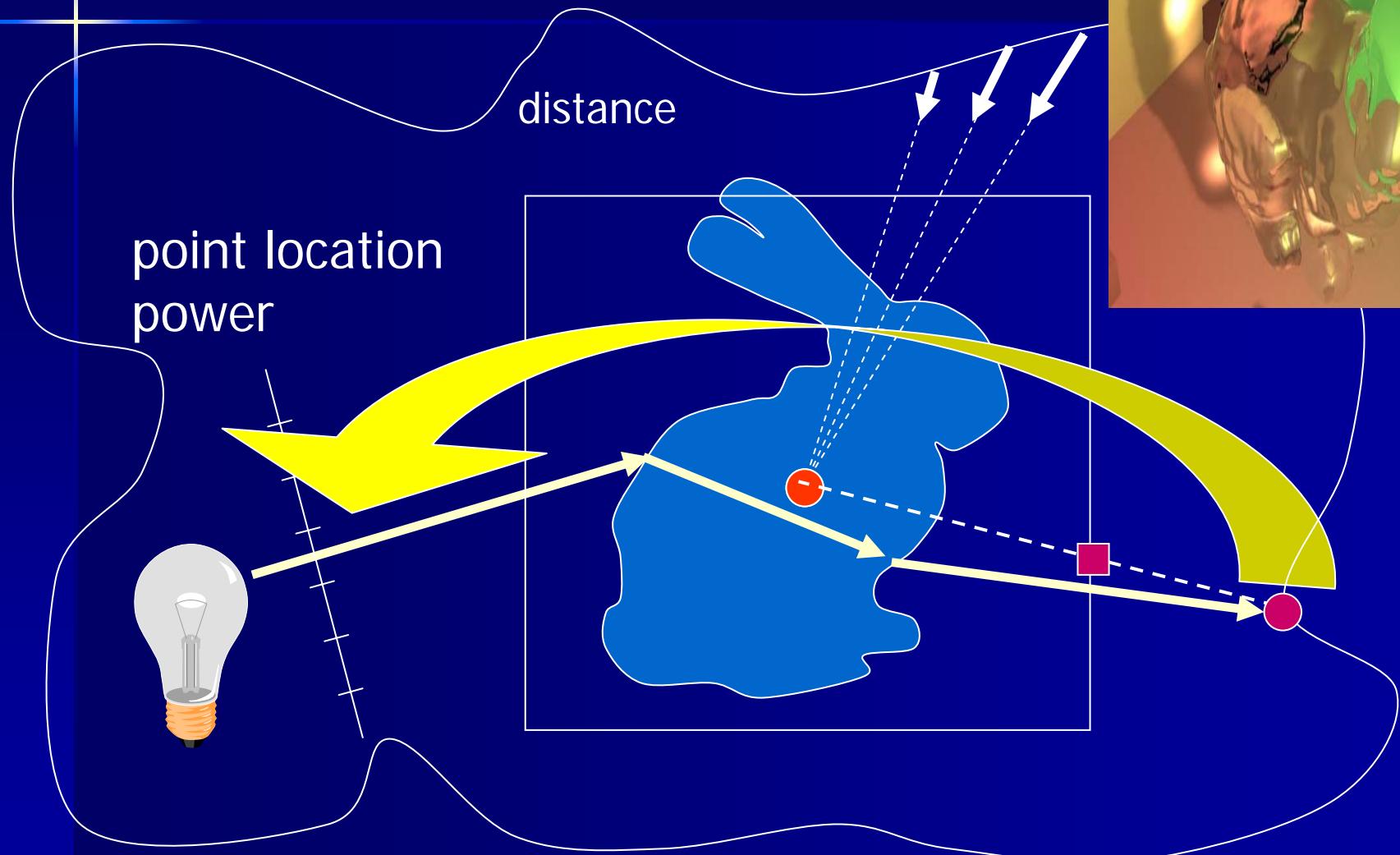


Caustic path generation





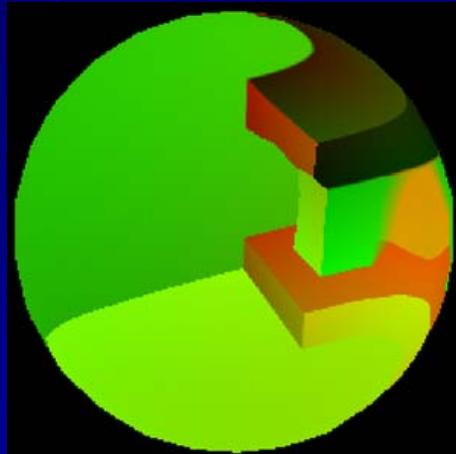
Caustics





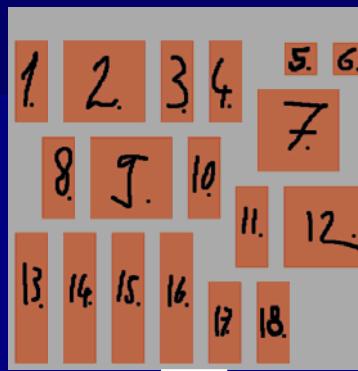
Texture modulation

Texture uv of photon positions



256 x 256

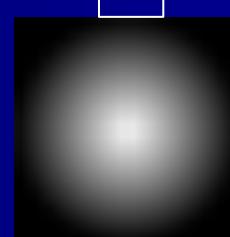
Quads or points
with dummy pos



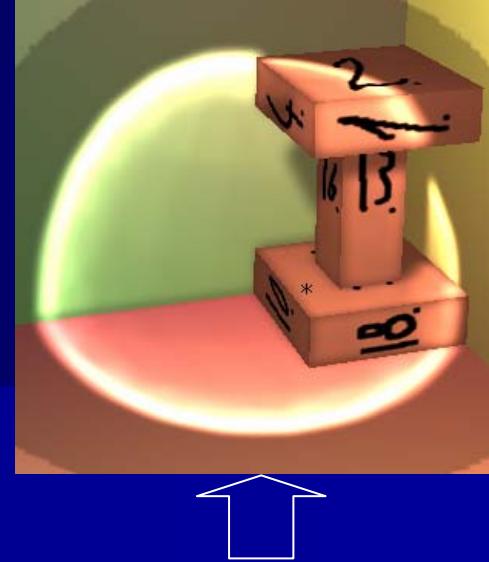
Vertex
shader

Pixel
shader

Billboard
positions



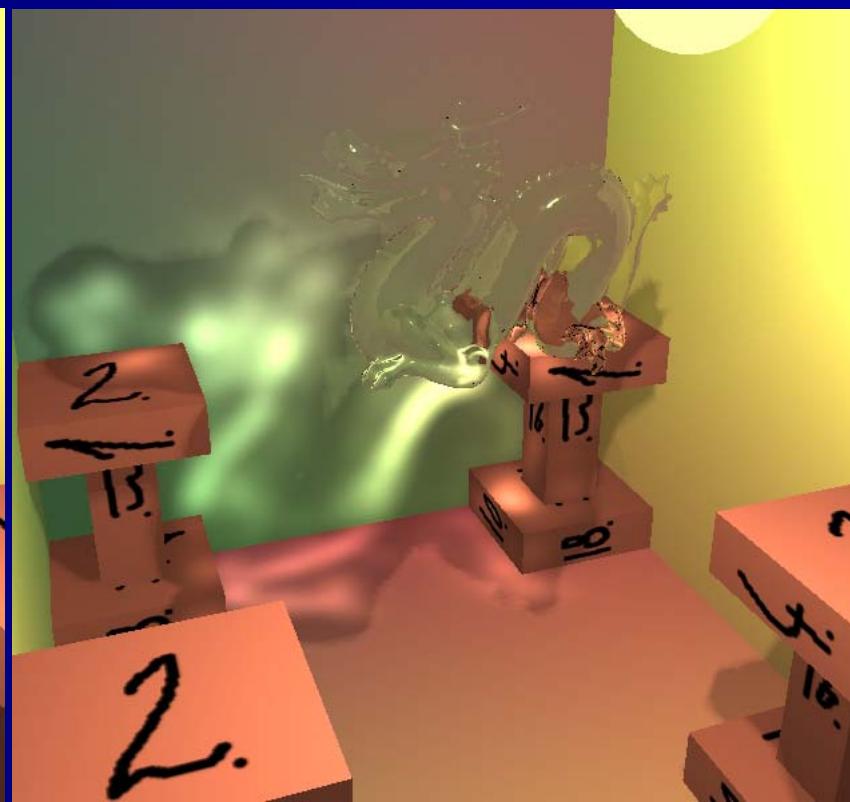
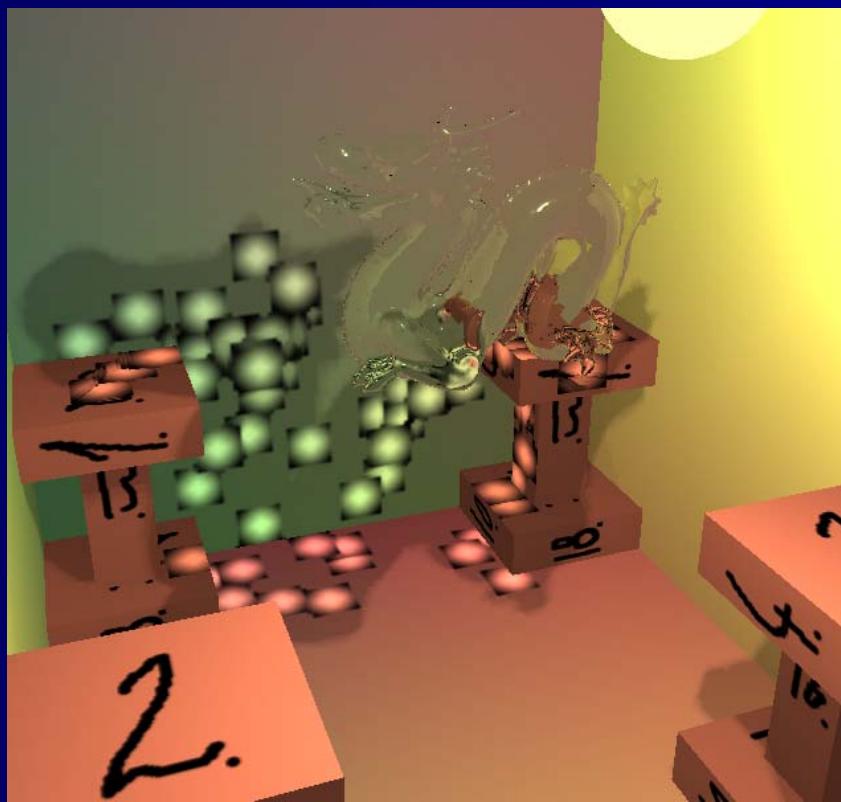
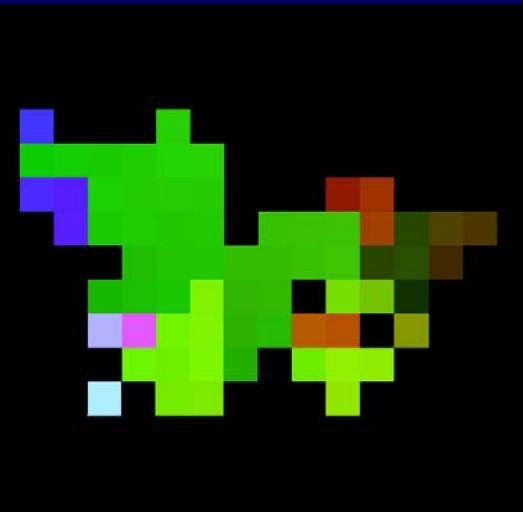
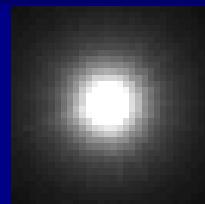
filter



Lit texture or
Light map

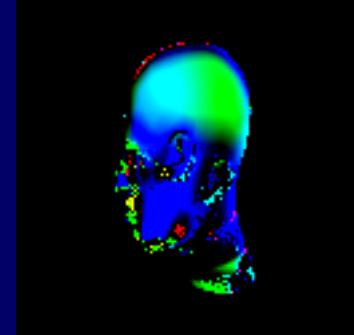
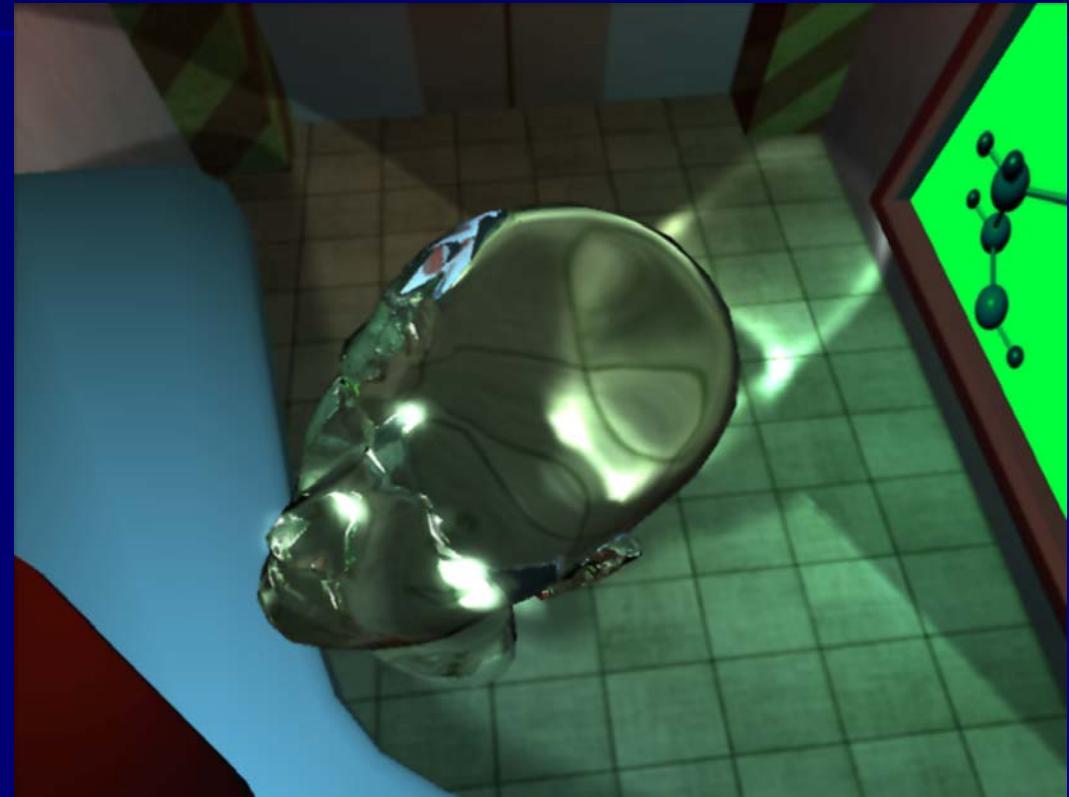
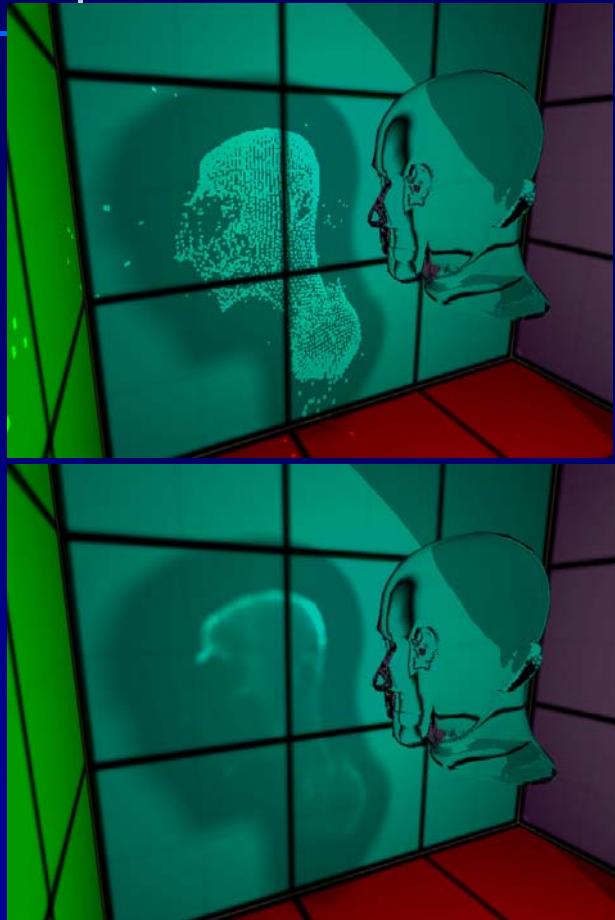


Summation with alpha blending



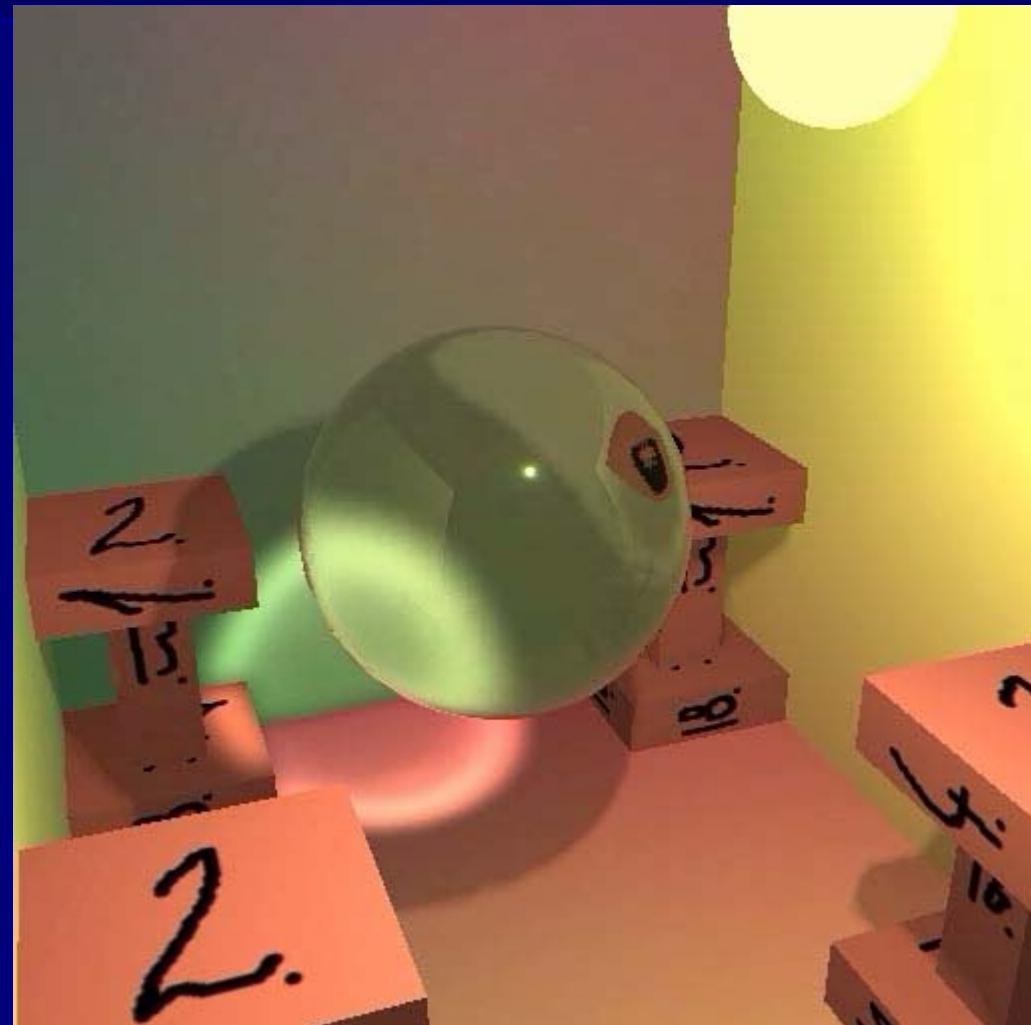
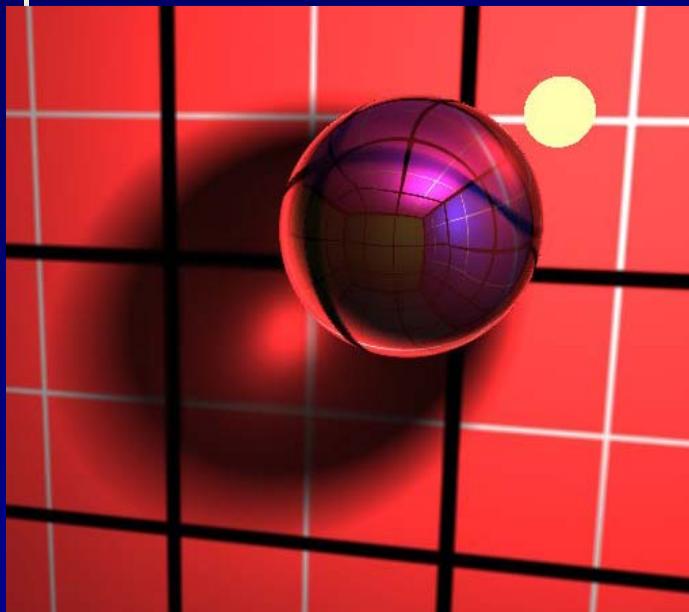


Results (triangle)



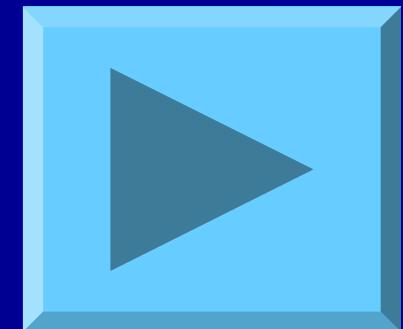


Results (billboards)





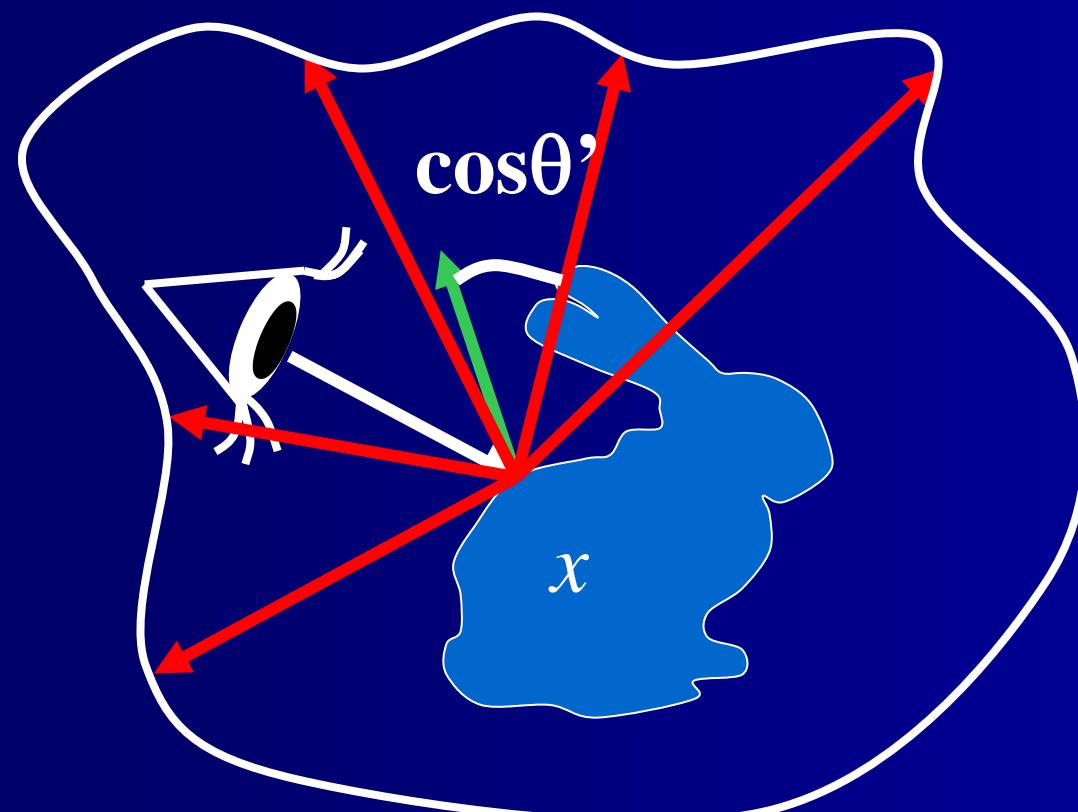
Application: Ray-tracing effects in games





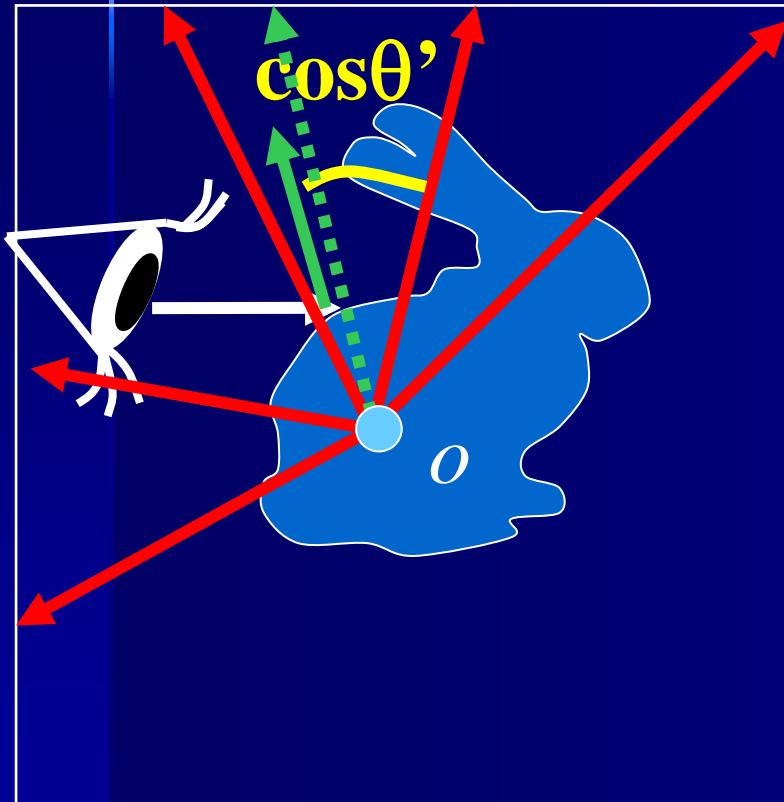
Diffuse/glossy reflection

$$L(x, \omega_o) = \int_{\Omega} L^{in}(y, \omega_i) f(\omega_i, x, \omega_o) \cos\theta' d\omega_i$$

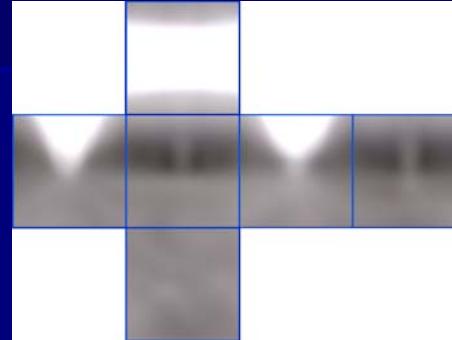




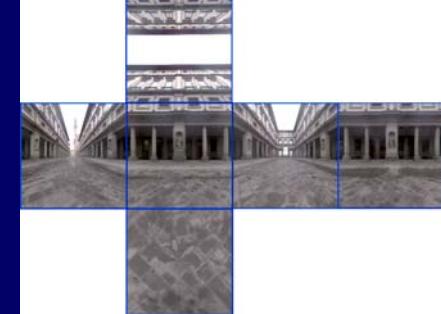
Diffuse/Glossy reflections



$$\int_{\Omega} L^{in}(o, \omega_i) \cos\theta' d\omega_i$$

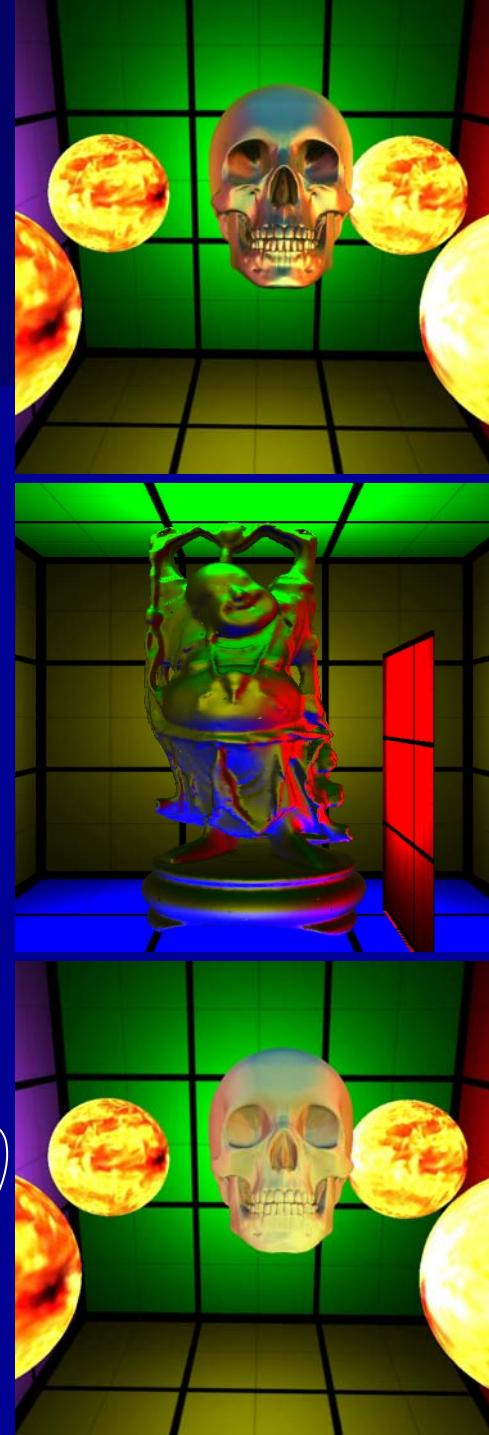
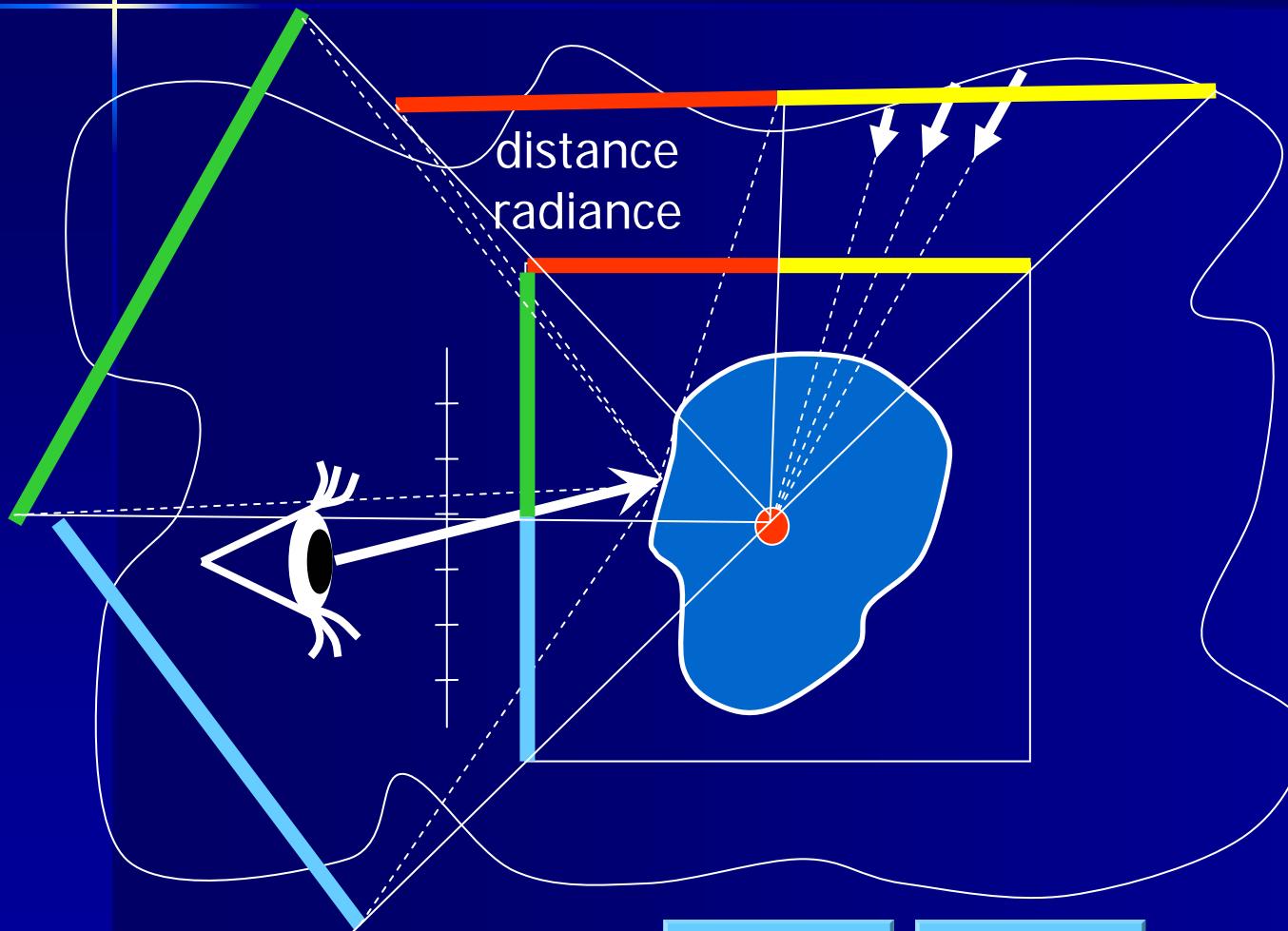


No
self-occlusions!





Localized diffuse/ glossy maps





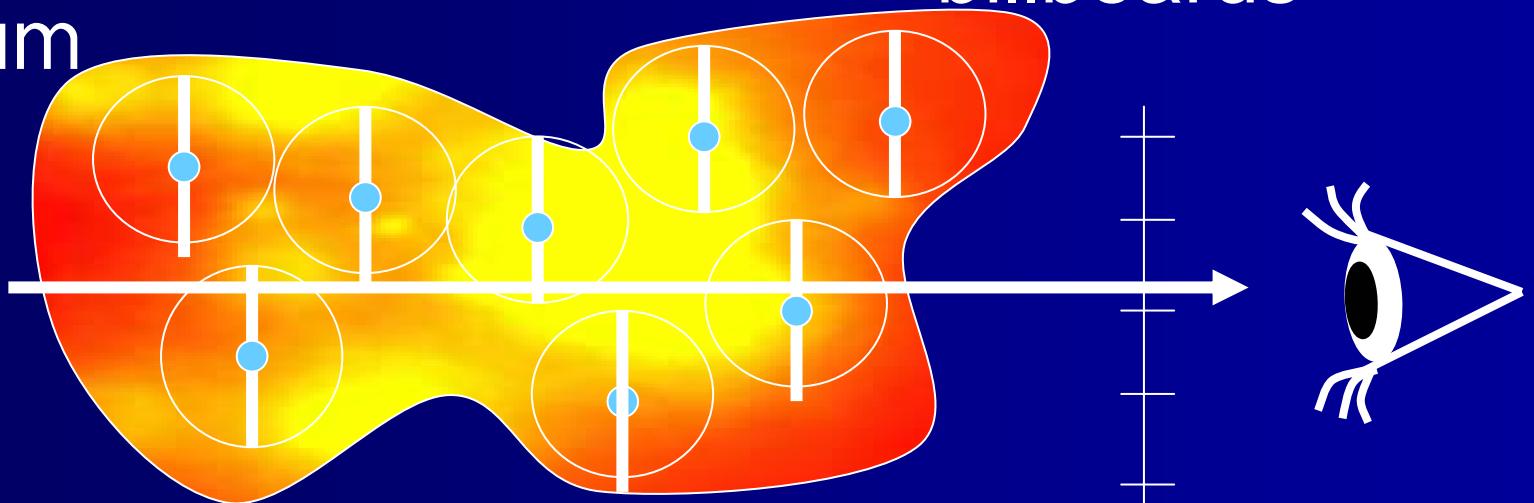
$$\frac{dL(s, \omega)}{ds} = -\tau L(s, \omega) + \tau(1-a)L^e(s, \omega) + \tau a \int_{\Omega'} L^{in}(s, \omega') P(\omega', \omega) d\omega'.$$

3. Participating media

Participating
medium

Particles

billboards



$$L(j, \vec{\omega}) = I(j, \vec{\omega}) \cdot (1 - \alpha_j) + \alpha_j \cdot C_j + E_j(\vec{\omega})$$

Outgoing
radiance

Incoming
radiance

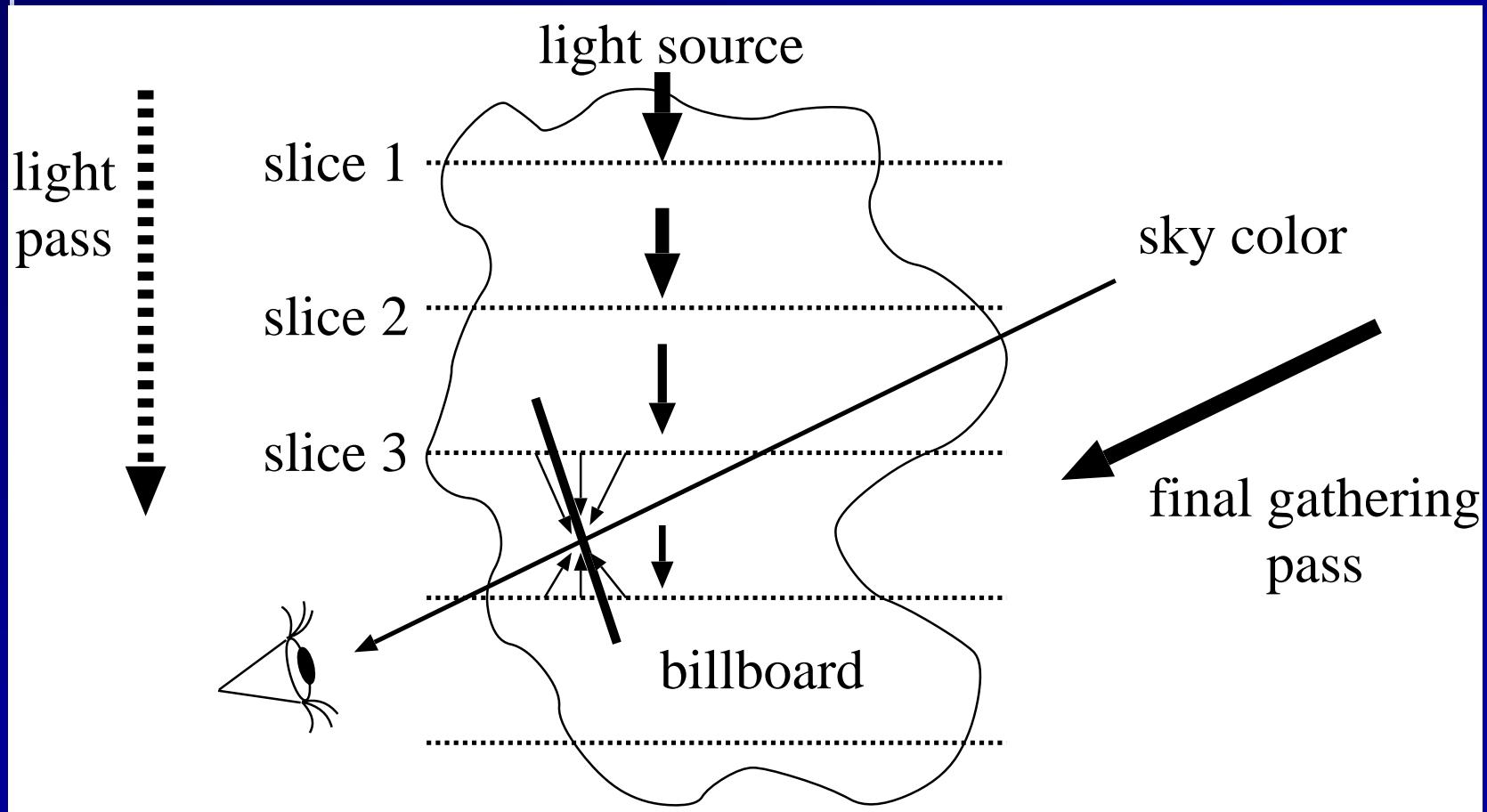
transparency

In-scattering
term

Emission



Illuminating participating media: inscattering term





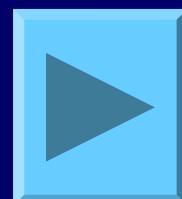
Explosions

Particles

Dust: 16
Fire: 135
Smoke: 112

FPS

Spherical: 70
Planar: 80





Shaded smoke



